## MIDTERM EXAM (10/14/96) COP 6617 Distributed System Design

1. (20 pts) Consider a system where processes can be **dynamically created** (or terminated). A process can generate a new process. For example, in Figure 1  $P_1$  generates both  $P_2$  and  $P_3$ . Modify the happened-before relation and the linear logical clock scheme for events in such a dynamic set of processes. 2. (40 pts) Assume that up to **two processes** can enter a critical section simultaneously. Provide possible extensions to Lamport and the simple token-ring-based algorithms. (Do not write code.)

3. (40 pts) You are required to evaluate a polynomial

$$a_0 + a_1 x^1 + \dots + a_{n-1} x^{n-1}.$$

Design a DCDL algorithm with **n** processes. Assume that initially  $P_i$   $(0 \le i < n)$  has  $a_i$  and x. The final evaluation result should be placed in  $P_{n-1}$ . Try to minimize the number of multiplications.

## EXTRA POINTS:

4. (10 pts) To apply the Chang and Roberts's election algorithm to a hypercube, one can first generate a spanning ring in the given hypercube (see Figure 2 for a 3-dimensional hypercube example.)

Assume that one process initiates an election process at a time. In the worst case, almost 2 rounds are needed to elect a winner. Enhance Chang and Robert's algorithm to obtain a faster election process for the hypercube topology by using **multiple paths** provided by the hypercube. Assume that each node can send a message to multiple neighbors simultaneously. Only high-level description of your algorithm is needed. Use the 3-dimensional hypercube example to illustrate your approach.

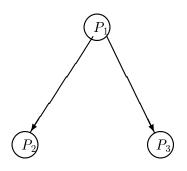


Figure 1:  $P_1$  generates  $P_2$  and  $P_3$ 

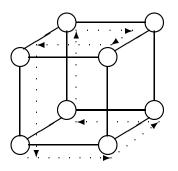


Figure 2: A spanning ring in a 3-dimensional hypercube