Minimum Latency Broadcasting with Conflict Awareness in Wireless Sensor Networks

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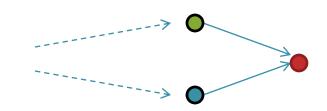
Outline

- Introduction
- Target Problem
- Our Approach
- Experimental Results
- Conclusion & Future Work



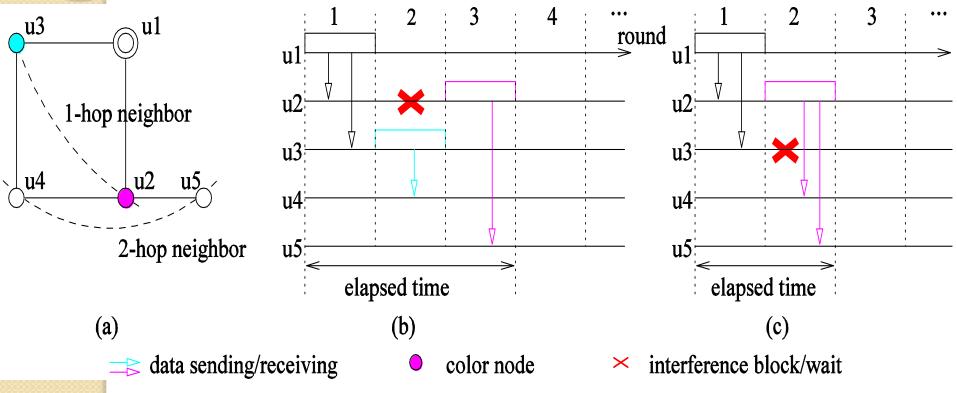
Introduction

- Apply pipeline to optimize the broadcasting performance in wireless sensor networks
 - Broadcasting is not a new problem
 - Existing methods adopt hop distance based flooding
- Broadcasting in wireless sensor networks
 - Conflict (by interference)
 - Color scheme
 - Color selection
 - Back-off delay



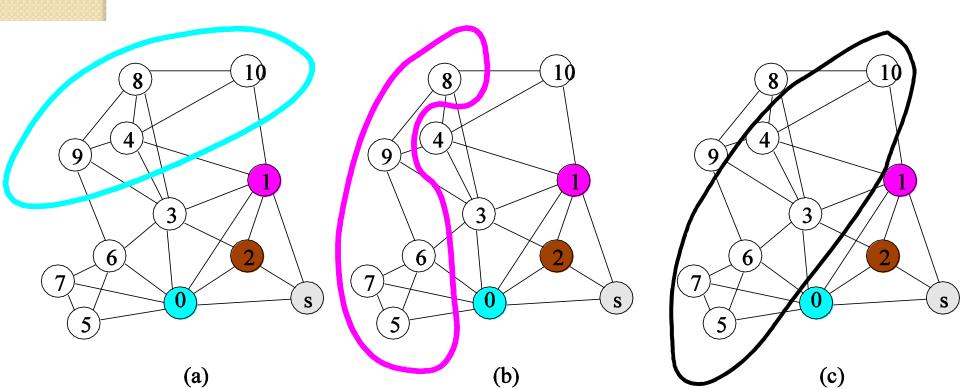


Sample of back-off delay and its impact



The problem is not trivial!

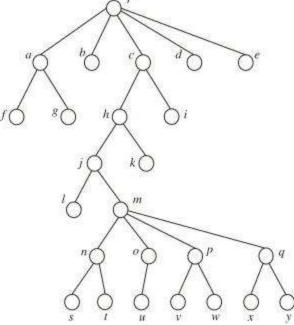
- Cannot be solved by using
 - Neighbor node degree
 - Pre-determined pair of sender and receiver
 - Network diameter or hop distance





Target Problem

 Can we pipeline the relays so that the back-off delay along the critical path can be reduced?





- The optimal solution for minimum latency broadcasting, by given the network deployment?
 - Greedy color scheme?
 - $(I + \varepsilon)$ —estimation?
 - Hop distance?
- A more effective solution in the localized
 & distributed manner

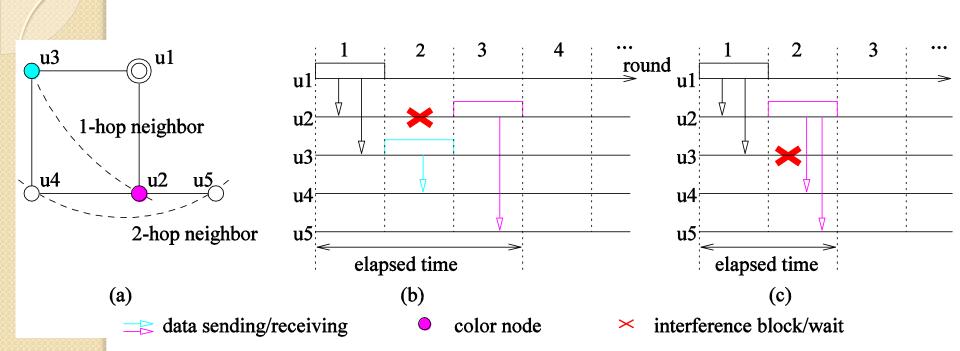
Our approach

- Heuristic method is needed to find an optimal solution.
- To find a propagation in a color so that no other color selection can achieve better (faster) solution

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\begin{array}{l} \mathsf{P}(\mathsf{S}) = \min\{t\} \\ \text{subject to :} \\ t = \mathsf{M}(\{\mathsf{s}\}, \mathsf{ts}) \\ \mathsf{M}(\mathsf{N}, \mathsf{t}) = \mathsf{t} - \mathsf{1}, \, \mathsf{activity ends} \\ \mathsf{M}(\mathsf{W}, \mathsf{t}) = \mathsf{M}(\mathsf{W} + \mathsf{A}(\mathsf{W}, \mathsf{t}), \mathsf{t} + \mathsf{1}) \, \mathsf{where} \, \mathsf{A} \, \mathsf{is} \, \mathsf{the} \, \mathsf{receivers} \, \mathsf{of} \\ \mathsf{selected \, color \, relays} \, \mathsf{A}(\mathsf{W}, \mathsf{t}) = \\ \mathsf{N}(\mathsf{u}) \mid \forall \mathsf{u} \in \mathsf{Cs}(\mathsf{w}) \, \forall \, \mathsf{1} \leq \mathsf{j} \leq \lambda(\mathsf{W}) \\ \mathsf{M}(\mathsf{W} + \mathsf{Cs}(\mathsf{W}), \, \mathsf{t+1}) \leq \mathsf{M}(\mathsf{W} + \mathsf{Cj}(\mathsf{W}), \, \mathsf{t+1}) \end{array}
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- A valid progress in information propagation
- Interference-freedom among all nodes in the same color
- Conflict with a node in other colors (necessity of being labeled).

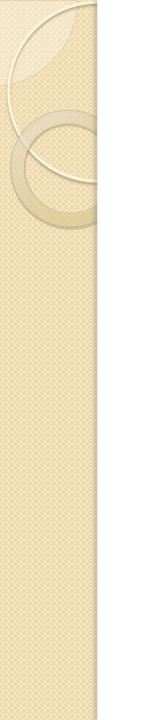


$\bigcup C_i$	$\bigcup \mathbb{B}$ in consideration	$C_{\mathbb{S}}$	$\mathbb{S}(W,t)$
$C_1:\{1\}$	$\mathbb{B}(\{1,2,3\},2)$	C_1	$\{2,3\}$
$C_1: \{2\}$ $C_2: \{3\}$	$\mathbb{B}(N,3),$ $\mathbb{B}(\{1,2,3,4\},3)$	C_1	$\{4,5\}$
$C_1: \{2\}$	$\mathbb{B}(N,4),$	-	
	$ \begin{array}{c} \bigcup C_i \\ C_1 : \{1\} \\ C_1 : \{2\} \\ C_2 : \{3\} \\ \end{array} $ $ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$	$\begin{array}{c} C_1:\{1\} & \mathbb{B}(\{1,2,3\},2) \\ C_1:\{2\} & \mathbb{B}(N,3), \end{array}$	$\begin{array}{c c} \hline C_1 : \{1\} & \mathbb{B}(\{1,2,3\},2) & C_1 \\ \hline C_1 : \{2\} & \mathbb{B}(N,3), & C_1 \end{array}$

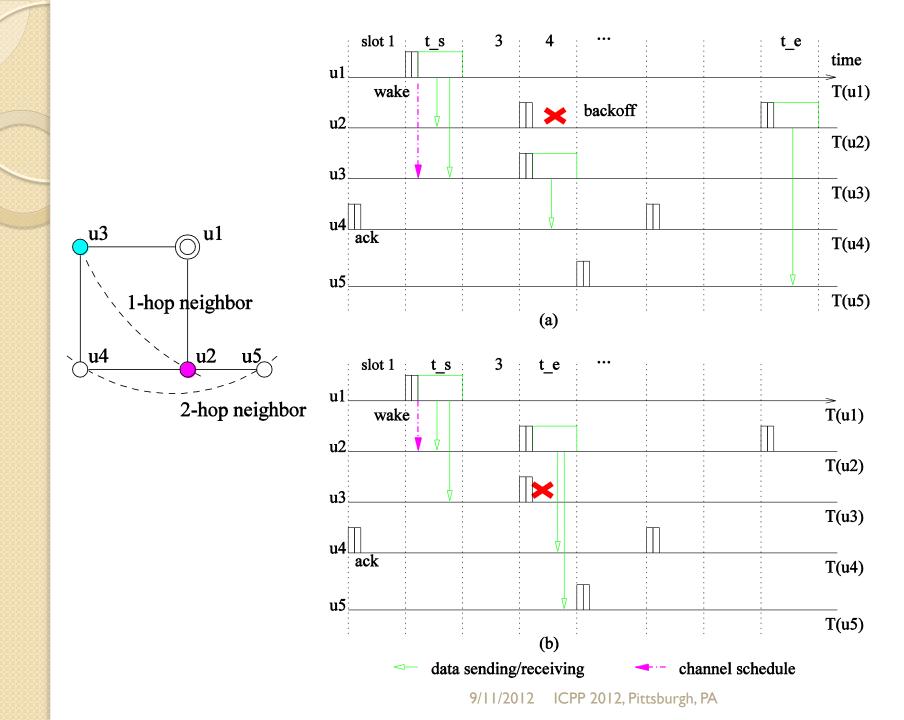
Properties

- Optimal performance
- 2 + (hop distance)

- Extension under the greedy coloring scheme:
 - A new constraint:
 - The more receivers it connected, the earlier this sender will be labeled in the color scheme.



- Duty cycle system
 - Round -> slot

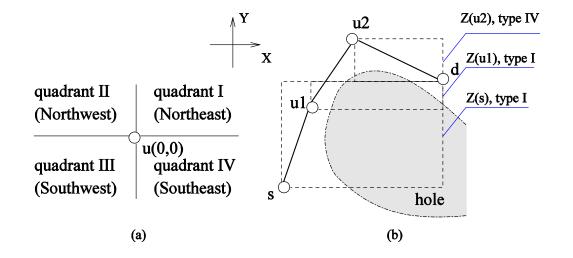


Task $\mathbb{B}(W,t)$, # of rounds	$\bigcup C_i$	$\bigcup \mathbb{B}$ in consideration	$C_{\mathbb{S}}$	$\mathbb{S}(W,t)$
$\mathbb{B}(\{1\},2)$	$C_1:\{1\}$	$\mathbb{B}(\{1,2,3\},3)$	C_1	$\{2,3\}$
$\mathbb{B}(\{1,2,3\},3)$	N/A	$\mathbb{B}(\{1,2,3\},4)$	N/A	ϕ
$\mathbb{B}(\{1,2,3\},4)$	$C_1:\{2\}$	$\mathbb{B}(N,5) = 4,$	C_1	$\{4, 5\}$
1 1 2 1 1 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1	$C_2: \{3\}$	$\mathbb{B}(\{1,2,3,4\},5)$		1021 1352
$\mathbb{B}(\{1,2,3,4\},5)$	N/A	$\mathbb{B}(\{1,2,3,4\},6)$	N/A	ϕ
$\mathbb{B}(\{1,2,3,4\},\xi+3)$	$C_1: \{2\}$	$\mathbb{B}(N,\xi+4) >> 4$		

Costly?

 A cost-effective method is needed (in both round-based and duty cycle systems).

• Each node has four regions



 For each region, a node has a metric value H (i.e., distance to the edge of network in this region): H(u) = I + min { H(v)}

• To find Cs

 $\mathsf{B}(\mathsf{W} + \mathsf{Cs}(\mathsf{W}), \mathbf{X}) \leq \mathsf{B}(\mathsf{W} + \mathsf{Cj}(\mathsf{W}), t+1)$

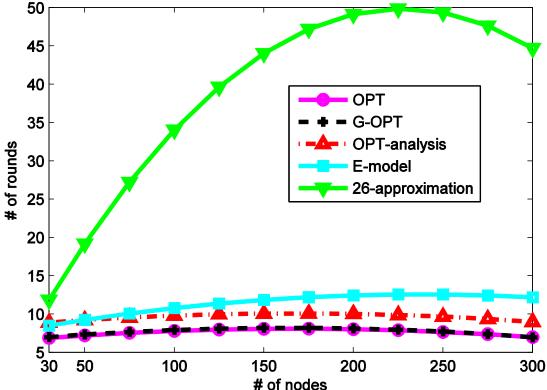
Cs = Cj where $u \in Cj$ has the largest H in neighborhood

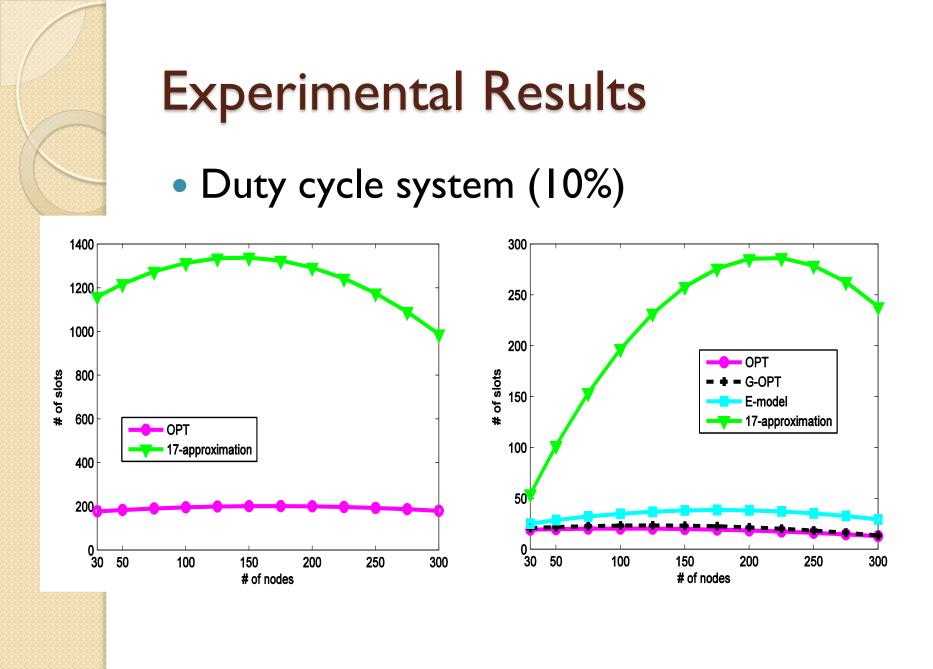
9/11/2012 ICPP 2012, Pittsburgh, PA



Experimental Results

Round based system





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Conclusion

- Some new insights brought by pipeline
 - Effectiveness of greedy coloring scheme
 - Consideration of hop distance
 - Problem in pre-determined end set in process
- Optimal solution
- A better estimation solution with the consideration of the computational complexity and cost



Future Work

- Localized color scheme
- A more effective localized & distributed solution
- The broadcasting optimization with other constraints such as energy and traffic throughput
- Extension in other cyclic network deployments (e.g., vehicle networks)



Thank you!

Questions and Comments