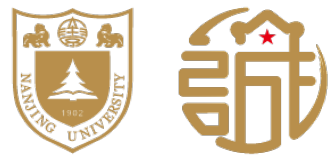


# MACRO: Incentivizing Multi-leader Game-based Pareto-efficiency Crowdsourcing for Video Analytics

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# Crowdsourcing



- Crowdsourcing: Crowd + Outsourcing
  - Turning to a Crowd of People to Obtain the Needed Data or Data Analysis Services
    - ✓ E.g., Survey, Idea Competition, Wikipedia
  - Basic Components: Task Requestor, Platform, Worker

### Get Results from Mechanical Turk Workers

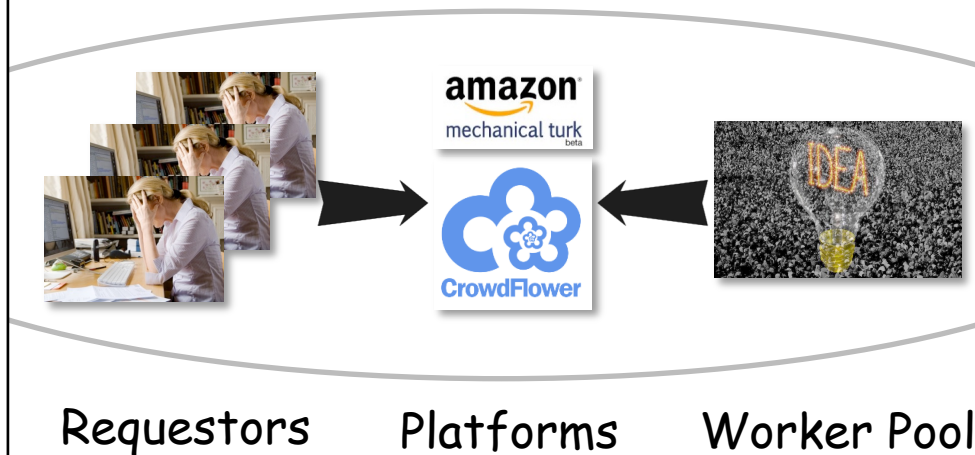
Ask workers to complete HITs - *Human Intelligence Tasks* - and get results using Mechanical Turk. [Get started.](#)

**As a Mechanical Turk Requester you:**

- Have access to a global, on-demand, 24 x 7 workforce
- Get thousands of HITs completed in minutes
- Pay only when you're satisfied with the results

**Fund your account** → **Load your tasks** → **Get results**

[Get Started](#)



### Make Money by working on HITs

HITs - *Human Intelligence Tasks* - are individual tasks that you work on. [Find HITs now.](#)

**As a Mechanical Turk Worker you:**

- Can work from home
- Choose your own work hours
- Get paid for doing good work

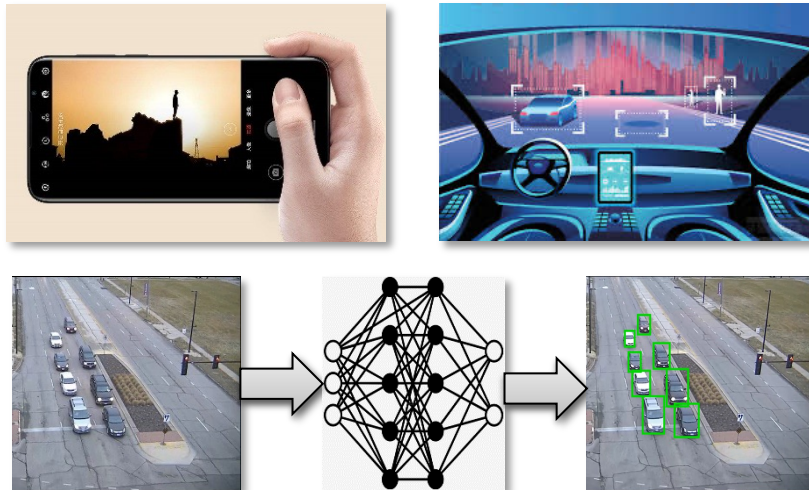
**Find an interesting task** → **Work** → **Earn money**

[Find HITs Now](#)

# Video Analytics



- Workers Equipped with Mobile Devices for Video Analytics
  - Mobile Devices: Mobile Phone, Tablets, Intelligent Vehicle
  - Video Analytics: Computer Vision Methods (e.g., Object Detection, Identification and Tracking) based on DNN Models (e.g., YOLO)
  - Typical Applications: Image Labelling, Mobile Sensing and Traffic Prediction



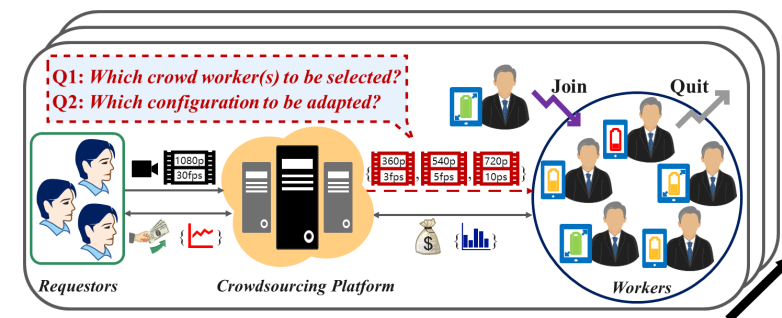
# Crowdsourcing for Video Analytics



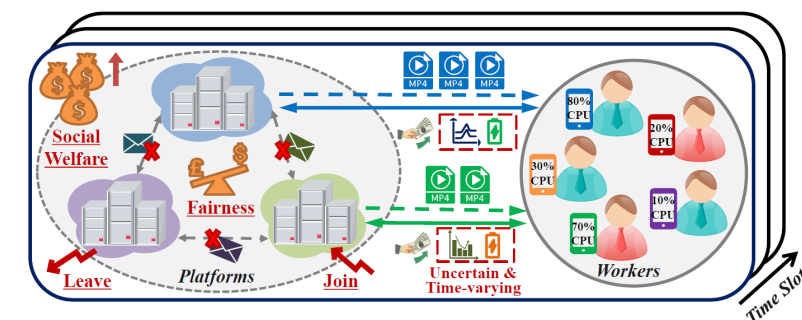
- Crowdsourcing for Video Analytics
  - Platforms hire proper workers, send video data to them, and select the configurations (frame rates, resolutions and models) to maximize their profits
- Existing Related Works:
  - Type 1: Address **Conflicts among Workers**
    - ✓ E.g., LOL [Infocom'22], LOL-C [TMC'24]
  - Type 2: Address **Conflicts among Platforms**
    - ✓ E.g., Crowd2 [Infocom'23]

## Research Gap:

- **Conflicts between platforms and workers** can arise

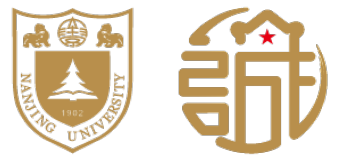


**Conflicts among workers** where some workers may not be selected by platform

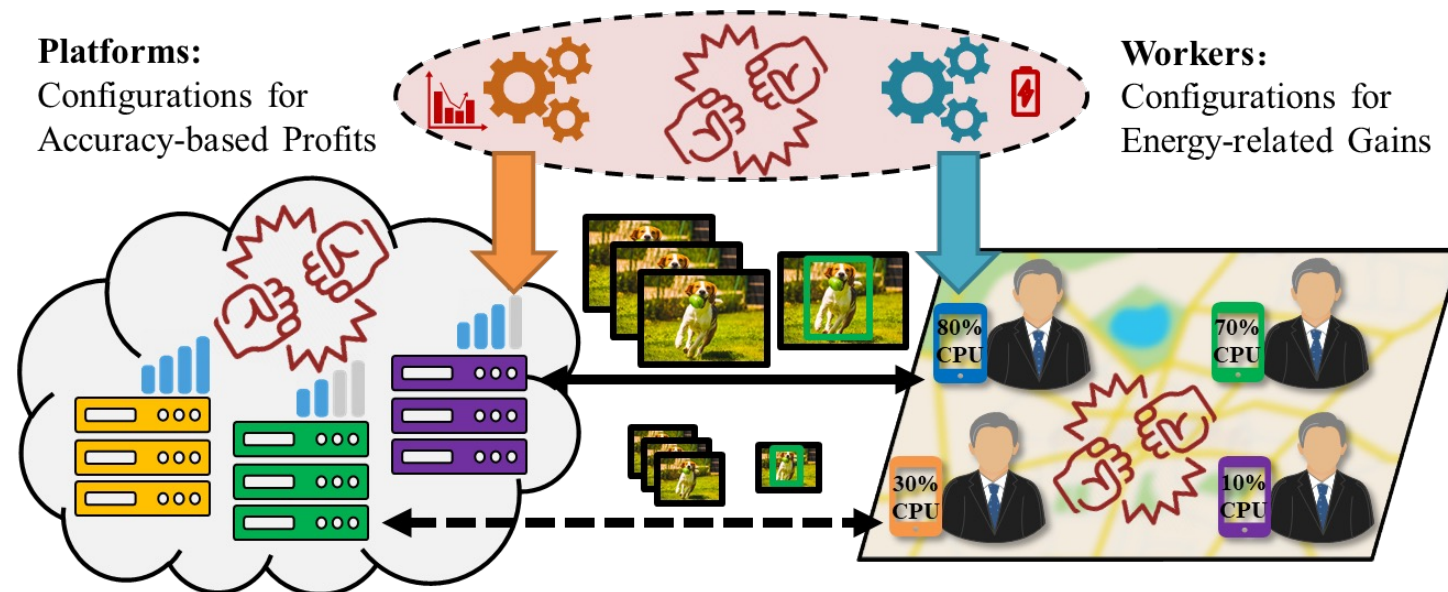


**Conflicts among platforms** where multiple platforms may select the same workers

# Conflicts between Platforms and Workers



- **Different Optimization Goals** when Determining Video Analytics Configurations
  - Platforms recruit workers and strategically select the configurations to maximize their **accuracy-based profits**
  - Workers can flexibly accept the task or not, and tailor the configurations for their **energy consumption-related individual gains**





# Conflicts between Platforms and Workers



- **Problem Formulation:**

- Determine the video analytics configuration: frame rate  $0 \leq f_{n,m} \leq F_n, \forall n \in \mathcal{N}, \forall m \in \mathcal{M}$

- For each platform  $n \in \mathcal{N}$ , the optimization problem is formulated as

- ✓  $\mathbb{P}_{1,n}^P: \max_{f_{n,\cdot}} U_n^P(\mathbf{f}_{n,\cdot}) = \sum_{m=1}^M u_{n,m}^P(f_{n,m}) = \sum_{m=1}^M G_n(a_{n,m})$

Accuracy-Based Profits



- ✓ s. t.  $\sum_{m=1}^M \frac{f_{n,m}}{F_n} R_n b_{n,m} \leq B_n$

Limited Bandwidth Budgets for Video Data Transmission



- Meanwhile, the optimization problem for each worker  $m \in \mathcal{M}$  is formulated as

- ✓  $\mathbb{P}_{1,m}^W: \max_{f_{\cdot,m}} U_m^W(\mathbf{f}_{\cdot,m}) = \sum_{n=1}^N u_{n,m}^W(f_{n,m}) = \omega_m(e_m^d + e_m^c)$

Gains Related to Energy Consumption of Downloads and Computations



- ✓ s. t.  $\sum_{n=1}^N f_{n,m} c_{n,m} \leq C_m$

Constrained Computing Resource for Video Analytics



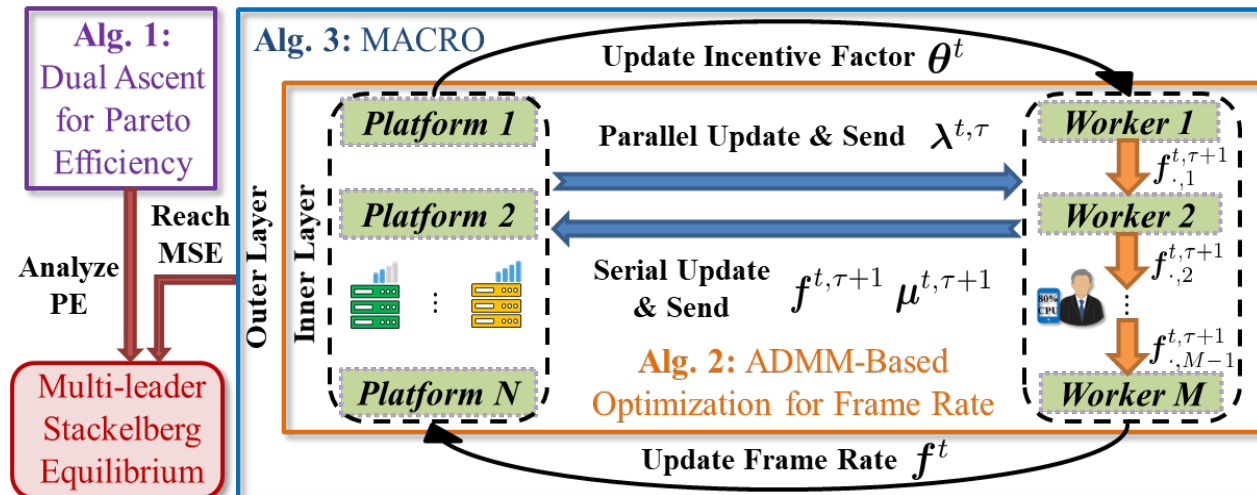
- **Major Challenge:**

- It's hard for platforms to optimally determine workers' video analytics configurations for maximum accuracy-based profits while considering workers' energy-related gains

# Overview of Our Work: MACRO



- Multi-Platform Game for Pareto Efficiency (PE)
  - [Alg. 1] For multi-platform game, we achieve the Pareto efficiency for platforms via a dual ascent-based method to determine proper video analytics configurations
- Incentivized Multi-Leader Game for Multi-Leader Stackelberg Equilibrium (MSE)
  - [Alg. 2, Alg. 3] For multi-leader game, we design the incentive function and its incentive factor updating strategy, and present an incentive maximization method, reaching MSE



# Multi-Platform Game for Pareto Efficiency



- Before additionally considering **workers' individual gains**, we first maximize **platforms' accuracy-based profits** via a dual ascent-based approach (Alg. 1)
  - **Main Idea:** Maximize the Social Welfare of All Platforms,  $\sum_{n=1}^N U_n^P(\mathbf{f}_{n,\cdot})$
  - **Theoretical Analysis:** **Pareto Efficiency** can be achieved by Alg. 1, where **no platform can change its strategy to increase its payoff without decreasing others'** in multi-platform game

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## Algorithm 1: Dual Ascent for PE in Multi-platform Game

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**Input:**  $R_n, b_{n,m}, F_n, B_n, c_{n,m}, C_m, \forall n \in \mathcal{N}, m \in \mathcal{M}$

1  $t \leftarrow 0$ , and Randomly Initialize  $\mathbf{f}^0, \boldsymbol{\lambda}^0$  and  $\boldsymbol{\mu}^0$ ;

2 **while**  $t < T_{max}$  **do**

3      $\mathbf{f}^{t+1} \leftarrow \arg \min_{\mathbf{f}} \mathcal{L}(\mathbf{f}, \boldsymbol{\lambda}^t, \boldsymbol{\mu}^t)$ ;

4      $\lambda_n^{t+1} \leftarrow \lambda_n^t - \eta(\sum_{m=1}^M \frac{R_n b_{n,m}}{F_n} f_{n,m}^{t+1} - B_n), \forall n \in \mathcal{N}$ ;

5      $\mu_m^{t+1} \leftarrow \mu_m^t - \eta(\sum_{n=1}^N c_{n,m} f_{n,m}^{t+1} - C_m), \forall m \in \mathcal{M}$ ;

6      $t \leftarrow t + 1$ ;

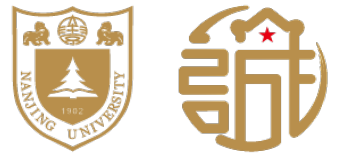
**Output:**  $\mathbf{f}^{T_{max}}$ .

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Optimize the Social Welfare by  
Dual Ascent-Based Update



# Incentivized Multi-Leader Game for MSE



- Considering workers' gains inconsistent with platforms', workers are encouraged to contribute to platforms' Pareto efficiency via an **incentive-based** method

– Two Layer Iteration (**Inner Layer for Workers** + Outer Layer for Platforms):

✓ Inner Layer (Alg. 2): Workers' Updating their Frame Rates  $f$

➤ Design Incentive Function for Worker  $m \in \mathcal{M}$ : Covering Worker's Utility, Platform's Utility and Incentive Value

$$\gg I_m(\boldsymbol{\theta}_{\cdot,m}, \mathbf{f}_{\cdot,m}) = \sum_{n=1}^N (u_{n,m}^p(f_{n,m}) + u_{n,m}^w(f_{n,m}) + (\hat{I} - \theta_{n,m} f_{n,m}))$$

➤ **Main Idea:** Maximize the Sum of All Workers' Incentive Functions,  $\sum_{m=1}^M I_m(\boldsymbol{\theta}_{\cdot,m}, \mathbf{f}_{\cdot,m})$

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**Algorithm 2:** ADMM-based Optimization for Frame Rate

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**Input:**  $t, \boldsymbol{\theta}^t, \mathbf{f}^{t-1}, \boldsymbol{\lambda}^{t-1}, \boldsymbol{\mu}^{t-1}$

1  $\tau \leftarrow 0, (\mathbf{f}^{t,0}, \boldsymbol{\lambda}^{t,0}, \boldsymbol{\mu}^{t,0}) \leftarrow (\mathbf{f}^{t-1}, \boldsymbol{\lambda}^{t-1}, \boldsymbol{\mu}^{t-1});$

2 **while**  $\tau < \tau_{max}$  **do**

    // Serial Update at Workers:

3     **for** worker  $m = 1, 2, \dots, M$  **do**

4         Update  $\mathbf{f}_{\cdot,m}^{t,\tau+1}$  and  $\boldsymbol{\mu}_m^{t,\tau+1}$  upon Eqs. (19), (20);

    // Parallel Update at Platforms:

5     **for** platform  $n = 1, 2, \dots, N$  **do**

6         Update  $\lambda_n^{t,\tau+1}$  following Eq. (21);

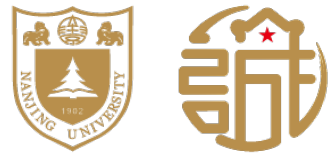
7      $\tau \leftarrow \tau + 1;$

**Output:**  $\mathbf{f}^{t,\tau_{max}}, \boldsymbol{\lambda}^{t,\tau_{max}}, \boldsymbol{\mu}^{t,\tau_{max}}$ .

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Optimize the Sum of All Workers'  
Incentive Functions

# Incentivized Multi-Leader Game for MSE



- Considering workers' gains inconsistent with platforms', workers are encouraged to contribute to platforms' Pareto efficiency via an **incentive-based** method

– Two Layer Iteration (Inner Layer for Workers + **Outer Layer for Platforms**):

✓ Outer Layer (Alg. 3): Platforms' Updating their Incentive Factors  $\theta$

➤ **Design Goal:** How to motivate workers to **contribute to platforms' PE** when **maximizing their incentives**?

➤ **Recall:** Workers' Incentive Functions

How to offset each other?

$$I_m(\theta_{\cdot,m}, \mathbf{f}_{\cdot,m}) = \sum_{n=1}^N (u_{n,m}^p(f_{n,m}) + u_{n,m}^w(f_{n,m}) + (\hat{I} - \theta_{n,m} f_{n,m}))$$

➤ **Main Idea:** Leverage the **Marginal Utility** of Workers to Update the Incentive Factors  $\theta_{n,m}^{t+1} = \frac{du_{n,m}^w(f_{n,m}^t)}{df_{n,m}}$

**Algorithm 3:** Incentive Mechanism MACRO for MSE

**Input:**  $R_n, b_{n,m}, F_n, B_n, c_{n,m}, C_m, \forall n \in \mathcal{N}, m \in \mathcal{M}$

1  $t \leftarrow 0$ , and Randomly Initialize  $\mathbf{f}^0, \boldsymbol{\lambda}^0$  and  $\boldsymbol{\mu}^0$ ;

2 **while** Inequation (23) upon  $\mathbf{f}^t$  is Not Satisfied **do**

    // Update Incentive Factors:

3 **for** platform  $n = 1, 2, \dots, N$  **do**

4     Update  $\theta_{n,m}^{t+1}, \forall m \in \mathcal{M}$  following Eq. (22);

    // Update Frame Rate Decisions:

5      $t \leftarrow t + 1$ ;

6     Invoke **Alg. 2** with Input  $(t, \boldsymbol{\theta}^t, \mathbf{f}^{t-1}, \boldsymbol{\lambda}^{t-1}, \boldsymbol{\mu}^{t-1})$ , and

    Output  $(\mathbf{f}^{t,\tau_{max}}, \boldsymbol{\lambda}^{t,\tau_{max}}, \boldsymbol{\mu}^{t,\tau_{max}})$ ;

7      $(\mathbf{f}^t, \boldsymbol{\lambda}^t, \boldsymbol{\mu}^t) \leftarrow (\mathbf{f}^{t,\tau_{max}}, \boldsymbol{\lambda}^{t,\tau_{max}}, \boldsymbol{\mu}^{t,\tau_{max}})$ ;

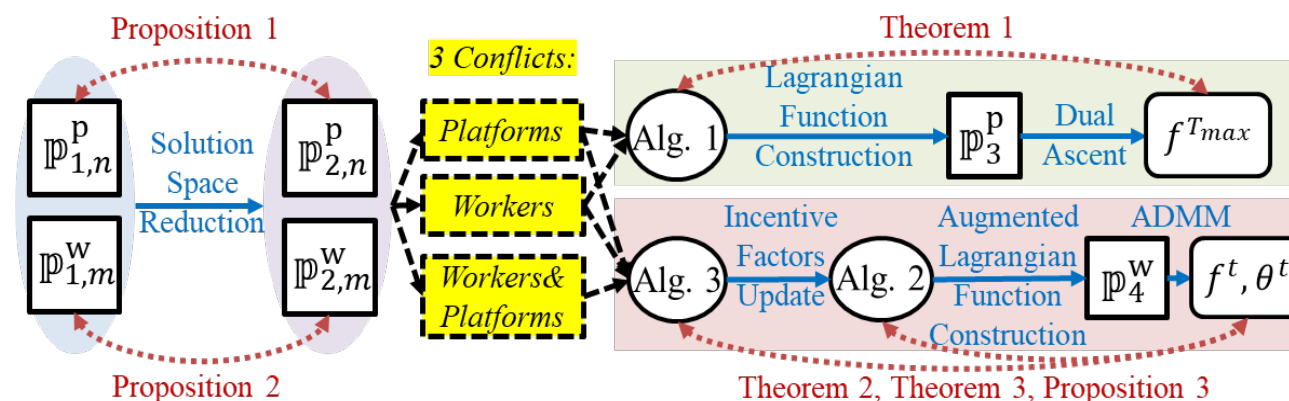
**Output:**  $\mathbf{f}^t, \boldsymbol{\theta}^t$ .

Optimize the Incentive Factors

# Incentivized Multi-Leader Game for MSE



- Considering workers' gains inconsistent with platforms', workers are encouraged to contribute to platforms' Pareto efficiency via an **incentive-based** method
  - Two Layer Iteration (Inner Layer for Workers + Outer Layer for Platforms)
  - Theoretical Analysis:
    - ✓ **Multi-leader Stackelberg equilibrium** can be achieved
    - ✓ Specifically, platforms' Pareto efficiency is guaranteed, and none of the platforms and workers have incentives to alter their strategies for higher payoff when others' keep unchanged



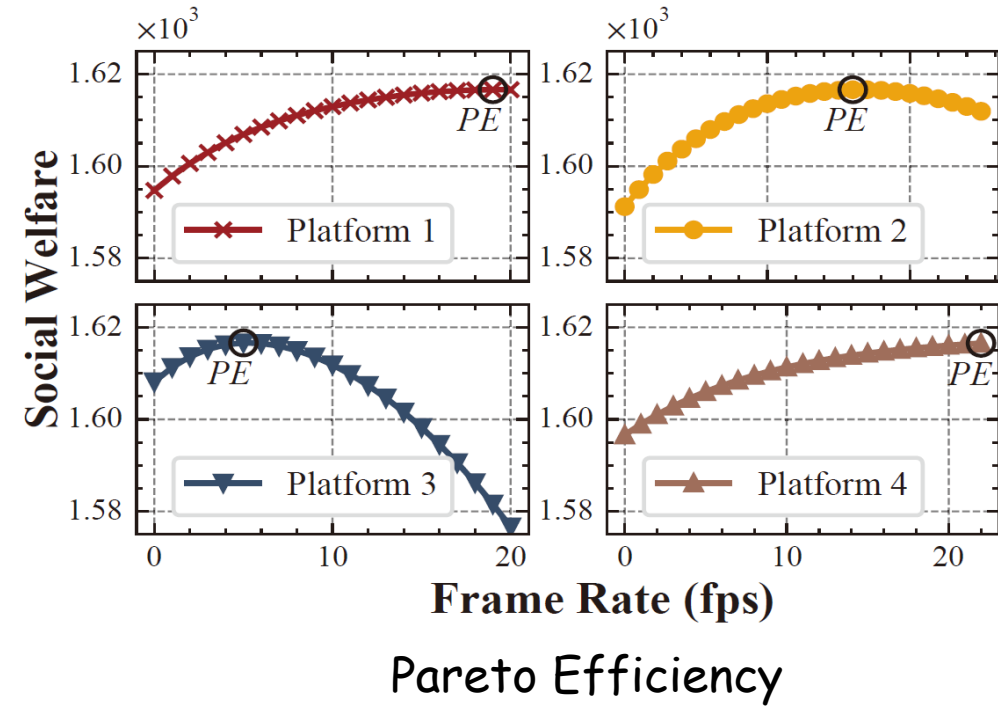
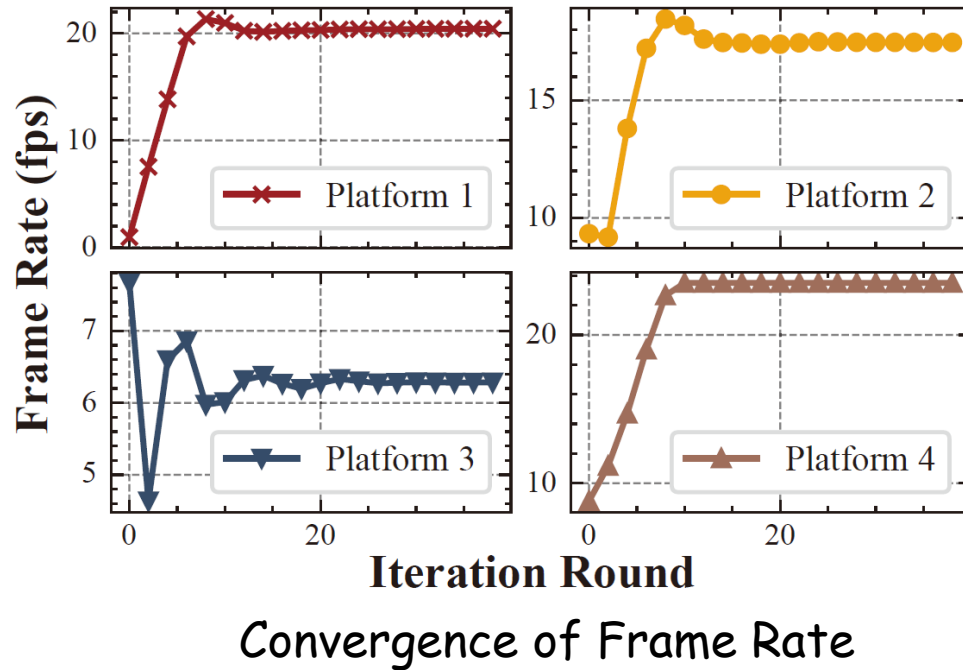
- Trace-Driven Experiments
  - Video Dataset AICity and PANDA, yolov7 models, F1-Score based Accuracy
  - Transmission Energy  $\sim N(5,0.5) \times 10^{-6}$  J, Computation Energy  $\sim N(5,0.5)$  J per Frame
  - Revenues  $G_n$  and  $\omega_m$  Generated from Sales Product Dataset
  - Bandwidth Budget  $B_n$  in  $[10, 25]$ , Computation Capacity  $C_m$  in  $[3, 21]$
- Evaluated:
  - How does Alg. 1 converge for Pareto efficiency?
  - How do Alg. 2 and Alg. 3 converge for multi-leader Stackelberg equilibrium?
  - How is the scalability of MACRO?

# Converge for Pareto efficiency

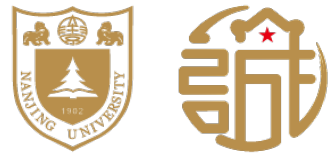


- How does Alg. 1 converge for Pareto efficiency?

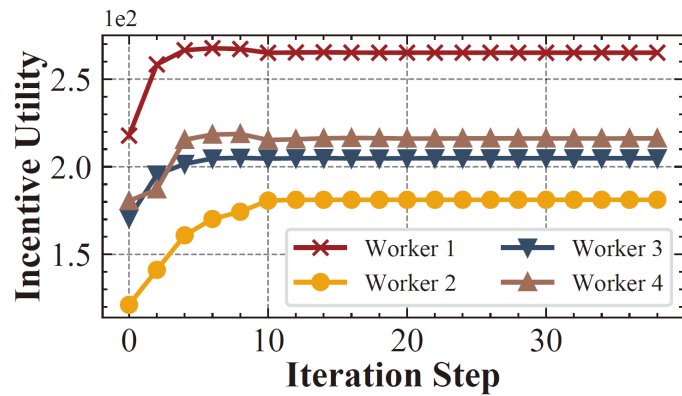
Platform cannot change its frame rate to improve the social welfare



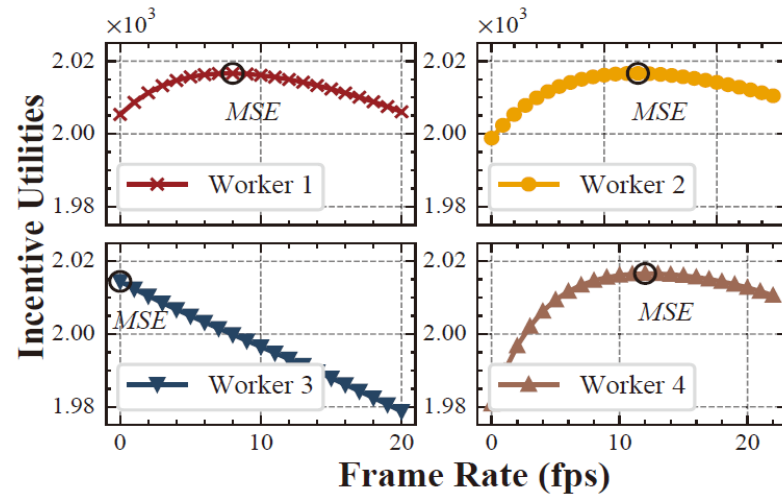
# Converge for MSE



- How do Alg. 2 and Alg. 3 converge for multi-leader Stackelberg equilibrium?

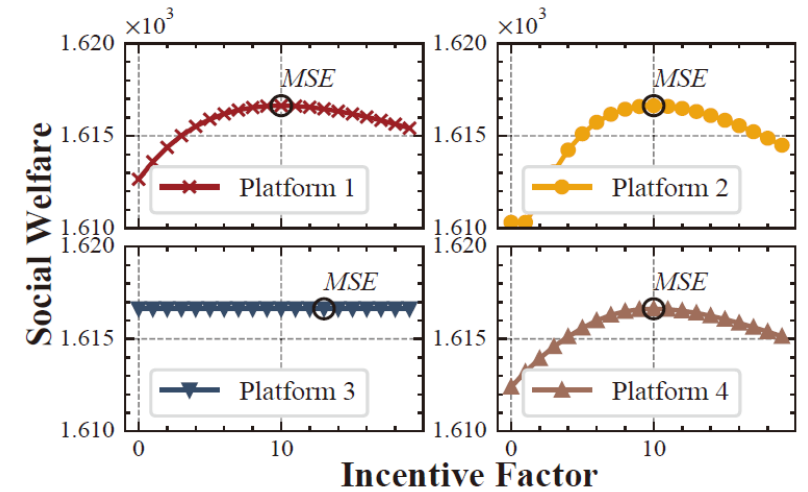


Convergence of Incentive Utility



MSE for Workers

Worker and platform cannot change their strategies to raise their utility



MSE for Platforms

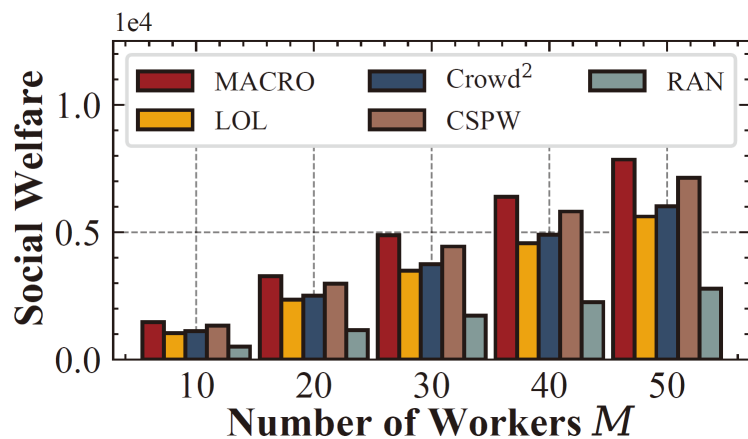


# Scalability of MACRO

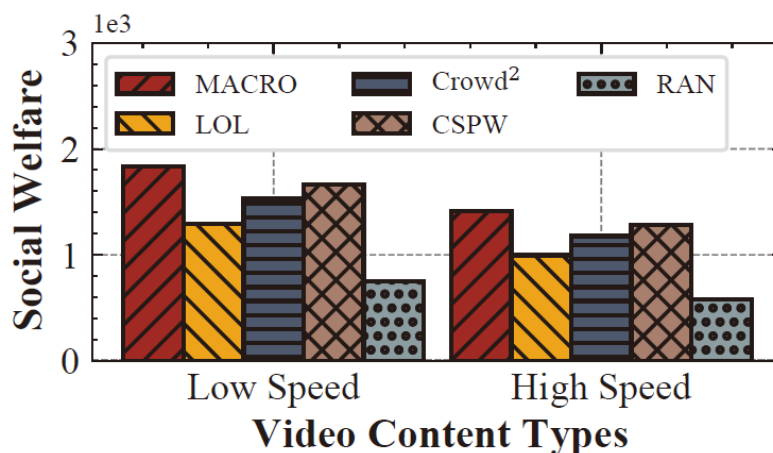


- How is the scalability of MACRO?

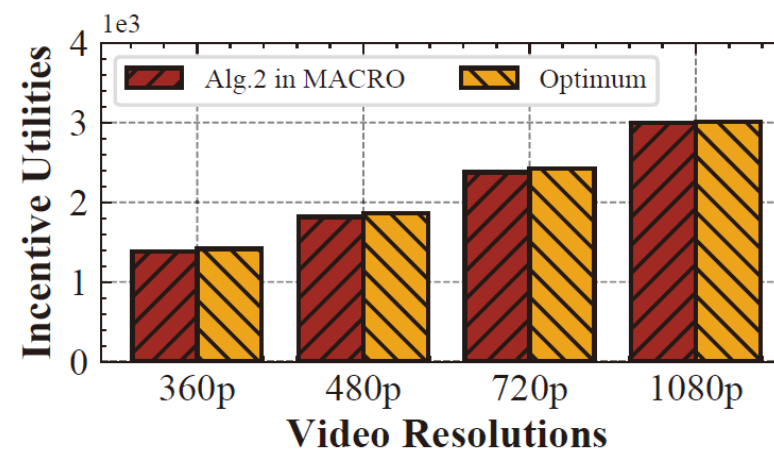
MACRO improves the social welfare by 26% on average



Varying Number of Workers



Various Video Content Types



Various Video Resolution

- MACRO: firstly considering the platform-worker conflicts for video analytics tasks upon crowdsourcing
  - For multi-platform game, we achieve the **Pareto efficiency** for platforms via a dual ascent-based method to determine proper video analytics configurations
  - For multi-leader game, we design the incentive function and its incentive factor updating strategy, and present an incentive maximization method, reaching the **multi-leader Stackelberg equilibrium**