## Homework 1 (due Feb. 13)

1. Calculate (a) node degree, (b) diameter, (c) the number of links, and (d) bisection width for an $2 n$ by $2 n$ extended mesh (a regular 2-D mesh with four additional diagonal connections, see page 207 of textbook) and a balanced hypercube (see The Balanced Hypercube: A Cube-Based System for Fault-Tolerant Applications, IEEE TC, April 1997, where bisection is defined as partition between nodes and their backups, i.e., even and odd nodes in the paper).
2. Exercise 3 (on notes): Q1
3. Exercise 3 (on notes): Q2
4. Define the matrix logical clock and its update rule for internal and external events (send and receive). Repeat 3 using the matrix logical clock. Show all details.
5. Apply the global snapshot algorithm to the following case: There two cities A (with population of 50 K ) and B (with population of 30 K ). Right after each hour, 1 K amount of people move from A to $B$. They reach $B$ exactly after 10 hours. Also, right before each hour, 2 K amount of people move from B to A . They reach A exactly after 6 hours. If population calculation starts exactly at 1 am at A . Find out the corresponding snapshot which includes local state and channel state information, assuming people moving between A and B also starts at 1 am . Show all details, including termination time at each process.
6. Extend the global snapshot algorithm for the case when channel A to B is not FIFO. Consider two solutions, one is to use a counter at each messenger (marker), assuming there is only one path collecting A to B . When there are multiple paths from A to B , the other solution is to put a stamp F or T one each person moving among cities. For example, F is for a person left before local state count (i.e., at A in this case) and F is for a person left after local city count. Show all details, including the termination condition.
