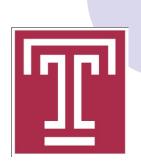
## Filter Assignment Policy Against Distributed Denial-of-Service Attack



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# DDoS & Four-phase Protection System

FR<sub>4</sub>

FR<sub>2</sub>

NAT

**FR**<sub>1</sub>

(FR₃

V

FR<sub>2</sub>

NAT

Internet

FR<sub>3</sub>

Web Server (V)

 $FR_1$ 

NAT

If (source="129.32.224.10")

129.32.224.10

discard

forward

Coordinator

Filter:

Flse

#### DDoS

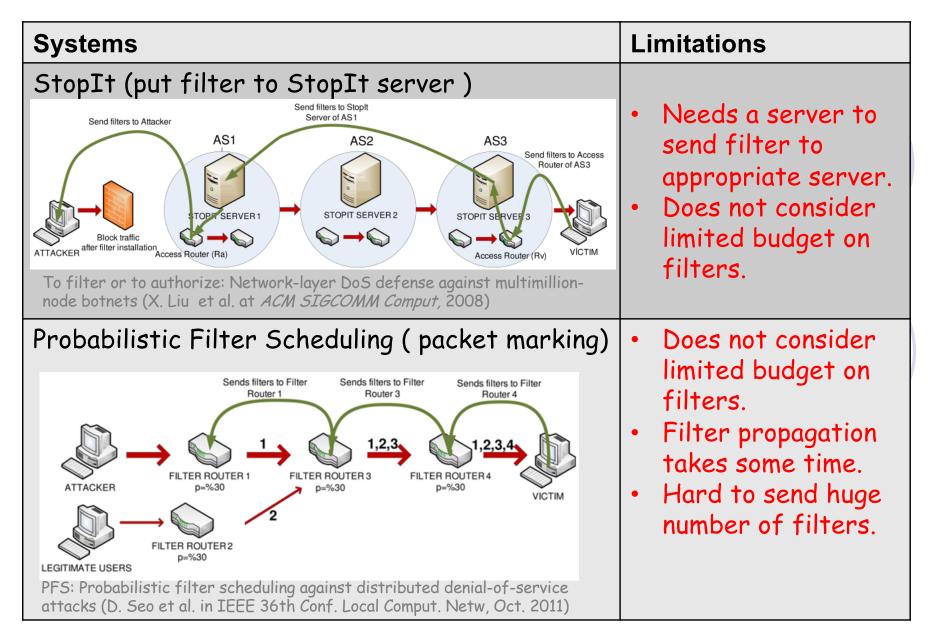
- Attacker keeps the victim busy.
- Millions of requests are fired by bots.
- Bots are controlled by a master.

#### Background

- Filter router
  - Does packet marking.
  - Applies filter and block traffic according to filter.
- Filter
  - Simple packet blocking rule.
  - Source-based, destination based.

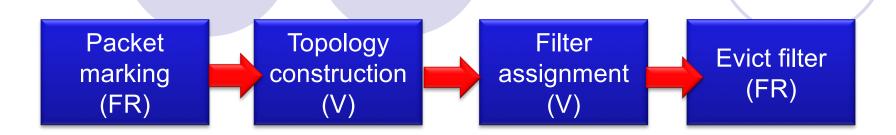


## Previous work

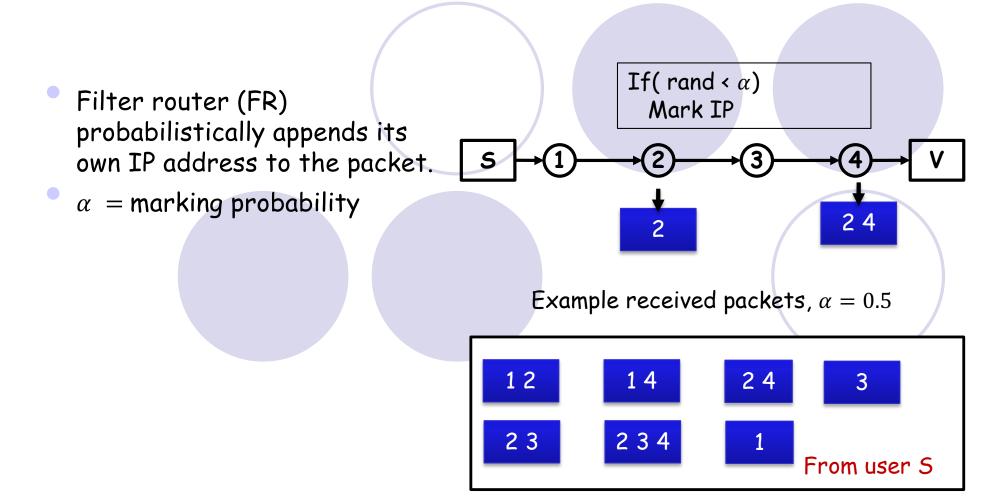


## A Four-phase Protection Process

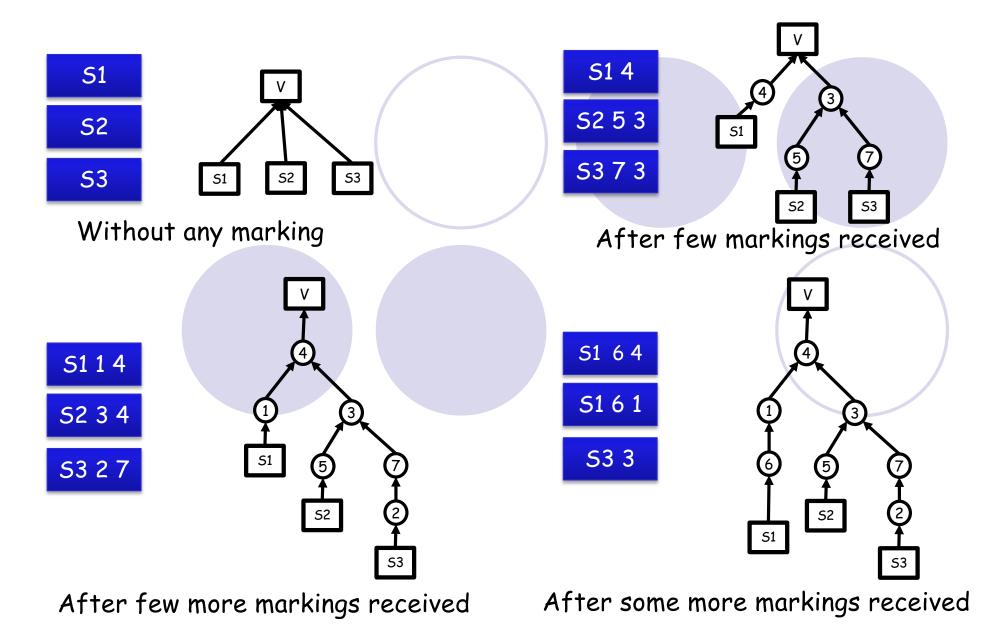
- Phase I: Packet marking by Filter Router.
- Phase II: Traffic topology and filter construction.
- Phase III: Assign filters to filter router.
- Phase IV: Evict unused filter from filter router.



## Phase I: Packet Marking by FR

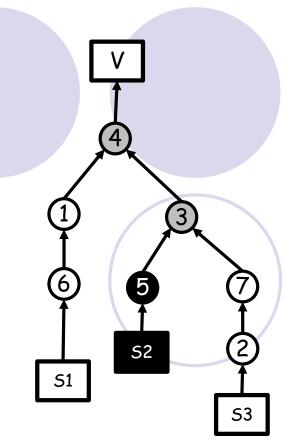


### Phase II: Topology Construction



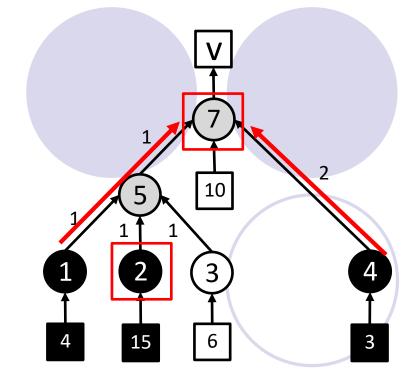
# Identifying Attackers' IP

- Victim can identify attacker.
  - Statistical approaches, packet arrival time, entropy, etc.
- Black=only attacker traffic
- White= only legitimate traffic
- Gray=mixed traffic
- The number of attackers is very large. Sending filters to all of them takes a lot of time.
- The capacity of filters in a FR is limited. So the hosting ISP of FR may charge money.



## Problem1: Minimizing Contamination

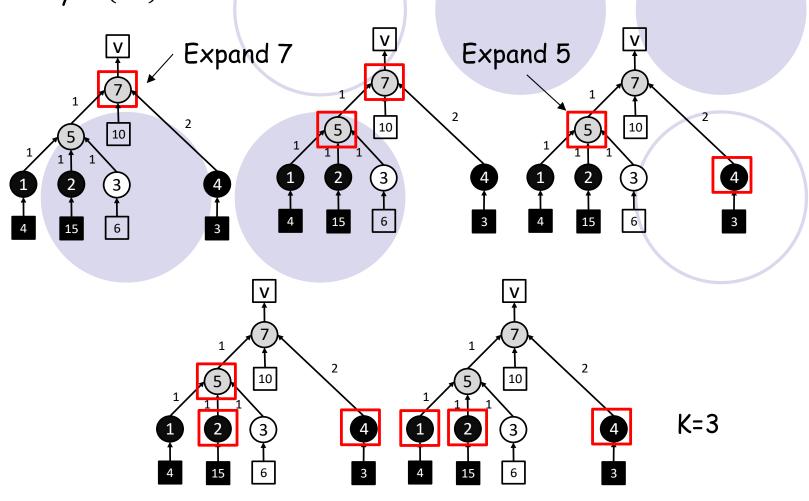
- Select K filters so that the contamination is minimum.
- Constraint: Block all attack traffic before it reaches v.
- Contamination Model
  - $C = \sum distace \times traffic load$
- Best assignment for k=2
  - o {2,7}
  - $\circ \quad C = 4 \times 2 + 3 \times 2 = 14$



Problem complexity still unknown.

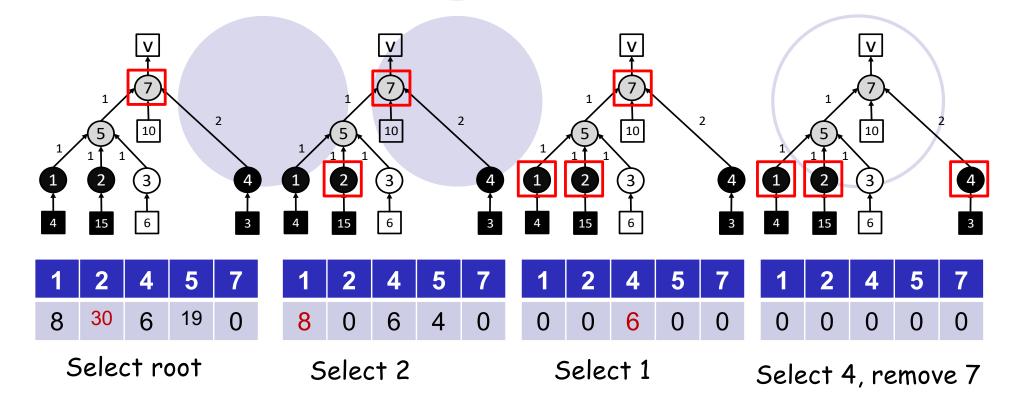
# Naive Approximation (Top-down)

- Start from the root. Expand node with highest  $\frac{\text{total traffic load}}{\text{number of branches}}$  until K number of filters are assigned.
- Complexity:  $O(K^2)$



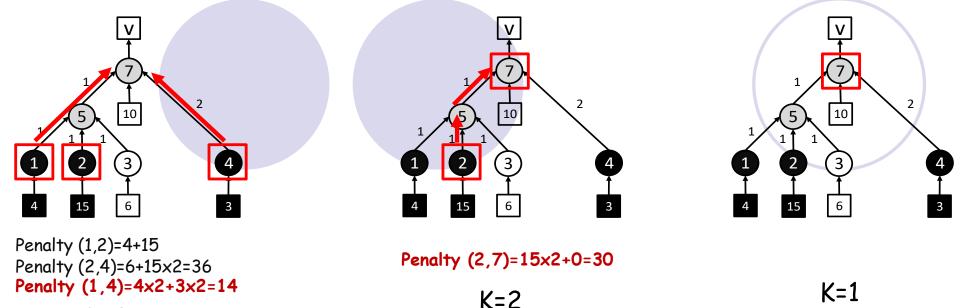
# Greedy Approximation 1

- Start from the root. Pick the highest weighted node and recalculate weight. Continue until K nodes are picked. Remove already covered nodes.
- Weight=distance\_to\_the\_first\_filter x load
- Complexity: O(NK)



# Greedy Approximation 2 (Bottom-up)

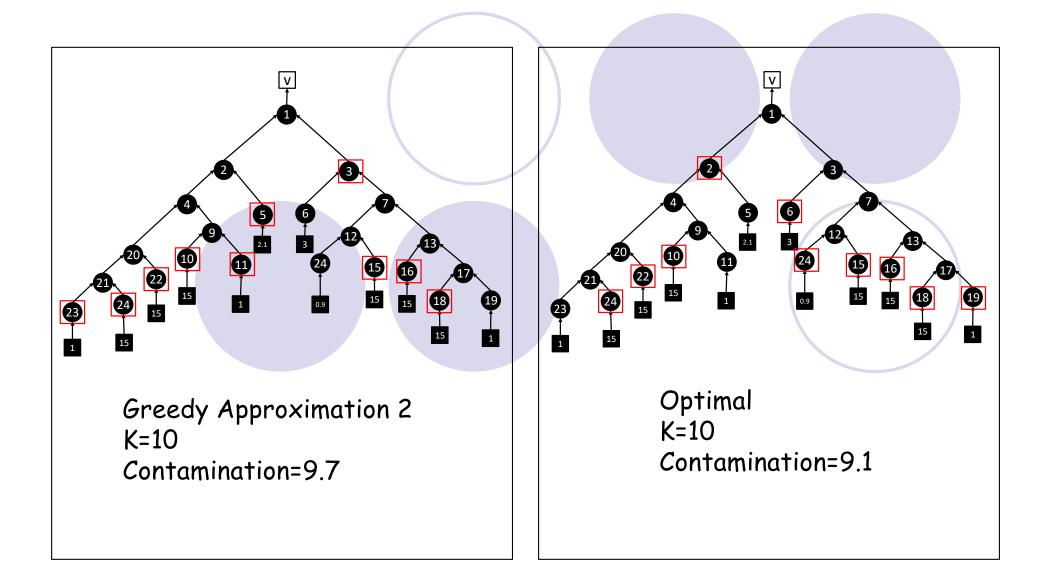
- Start by selecting all non-white entry nodes. Continue merging a pair of filters which add least penalty until the total assignment is K and put the merged filter on their least common ancestor.
- Complexity:  $O(N^2(N-K))$ 
  - Using heap:  $O((N K)^2 \log N)$





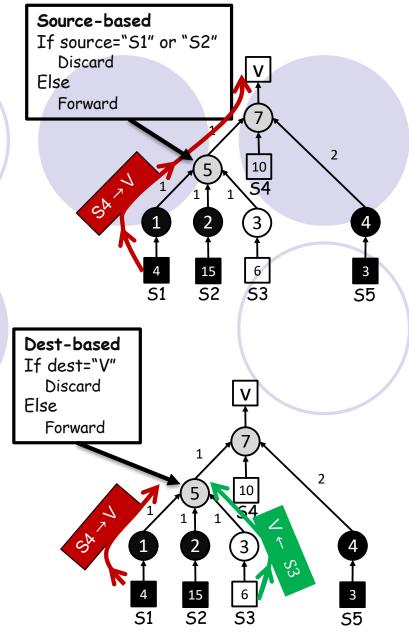
Penalty= Amount of contamination increase for a merge.

#### Greedy Approximation 2 is Not Optimal



# Source-based and Destination-based filters

- Source-based filter
  - Filter by source address of packet.
  - Cannot protect IP spoofing DDoS.
- Destination-based filter
  - Filter by destination address of packet.
  - Can protect against IP spoofing DDoS.
  - Blocks legitimate traffic.

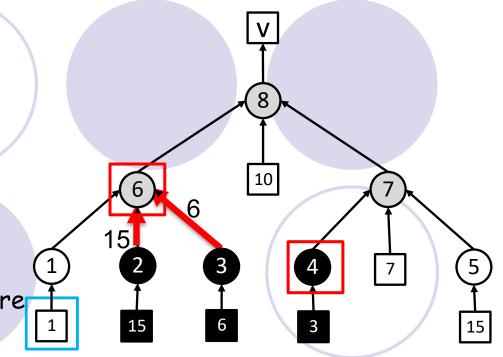


#### Problem 2: Minimizing Contamination and Blocked Legit Users

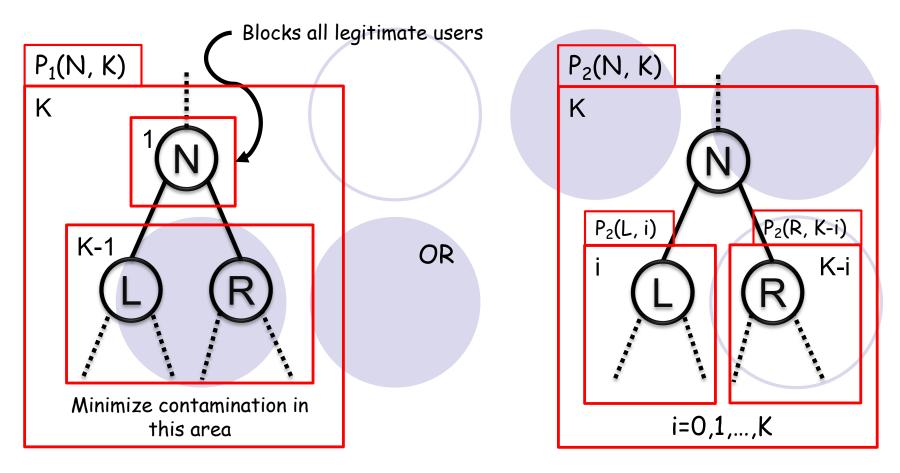
- Given ω and topology, select K
   filters so that C is minimum.
- Cost model
  - $\circ C = \omega \times C_1 + (1 \omega)C_2$
  - $C_1 = Contamination$
  - $C_2 =$ Number of blocked legit users
- Constraint
  - Block all the attack traffic before reaching v.
- Best assignment for k=2 is {6,4}

$$\omega = 0.5, C_1 = 21, C_2 = 1$$

•  $C = 0.5 \times 21 + (1 - 0.5) \times 1 = 11$ 



# A dynamic programming solution



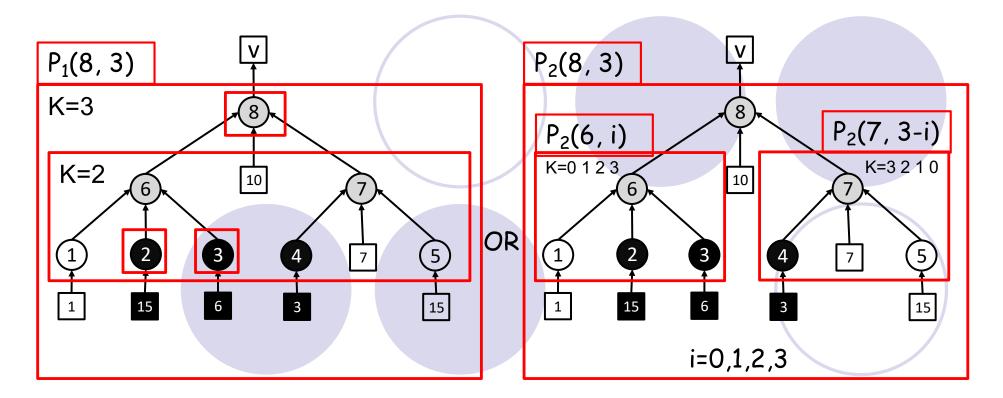
In subtree rooted by N for K filters:

 $P_1(N, K)$ = Minimum contamination rooted at N.

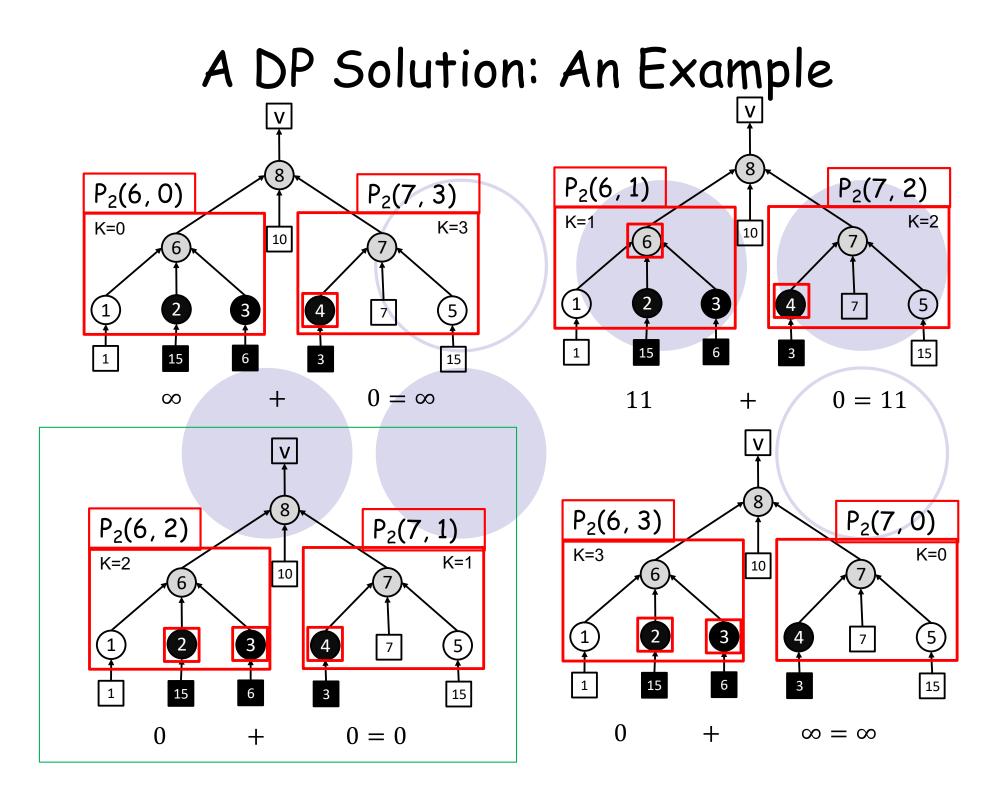
 $P_2(N, K)$ = Minimum cost.

Complexity:  $O(NK^{D-1})$ , where D: node degree.

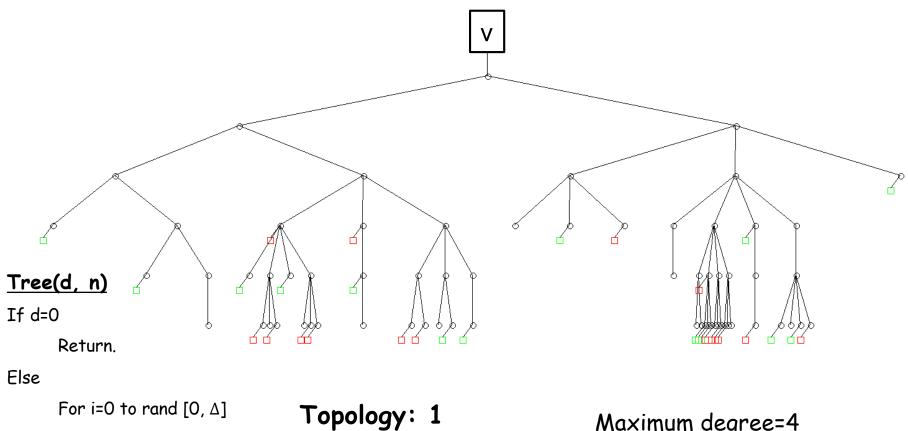
## A Dynamic Programming Solution: An Example



Greedy Approximation 2 : {2,3,8}  
P<sub>1</sub>(8,3)= 3x2=6  
L(8)=1+7+15=23, L(N): number of eligt users rooted at N  
Cost = 
$$\frac{1}{2}23 + (1 - \frac{1}{2})6 = 14.5$$



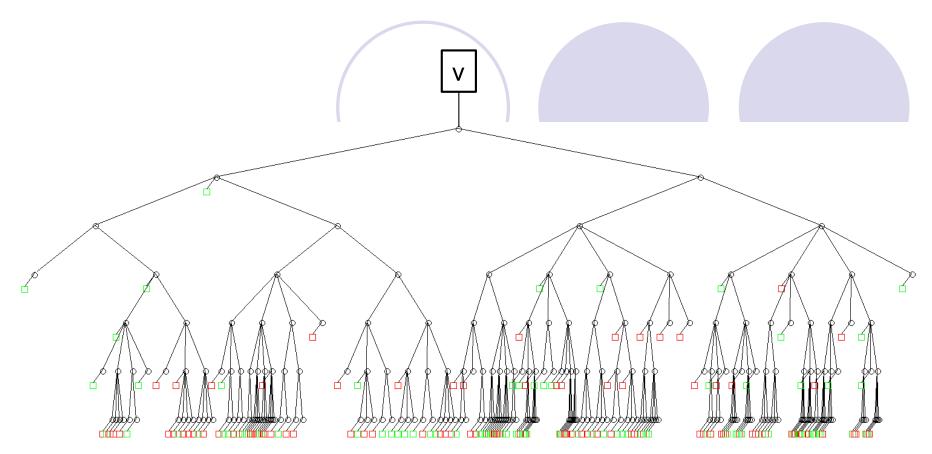
## Simulation: Random Tree Generation



Create node c<sub>i</sub>. Make c<sub>i</sub> child of n. Tree(d-1, c<sub>i</sub>) **Topology: 1** # of nodes : 66 Attacker ratio: 50%

Maximum degree=4 Depth=5 Data rate= 1 to 4

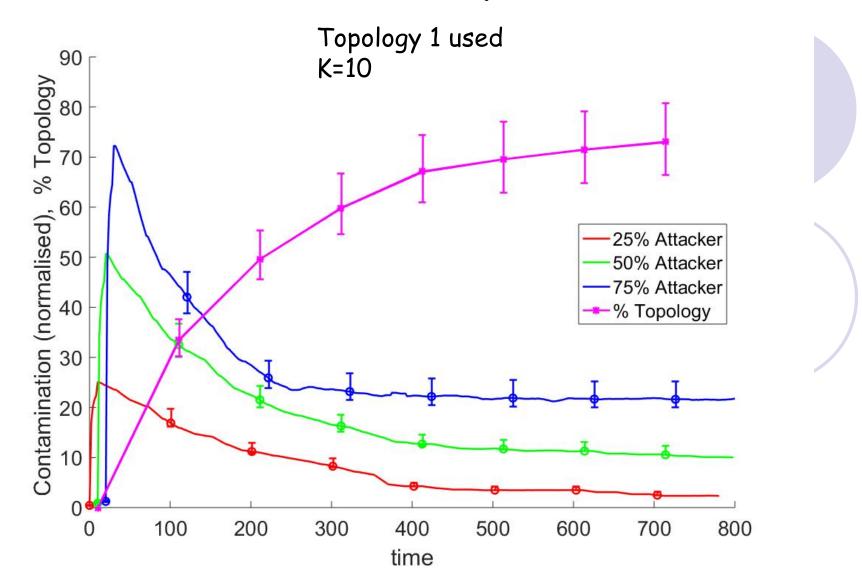
## Simulation: Random Tree Generation



**Topology: 2** # of nodes : 250 Attacker ratio: 60%

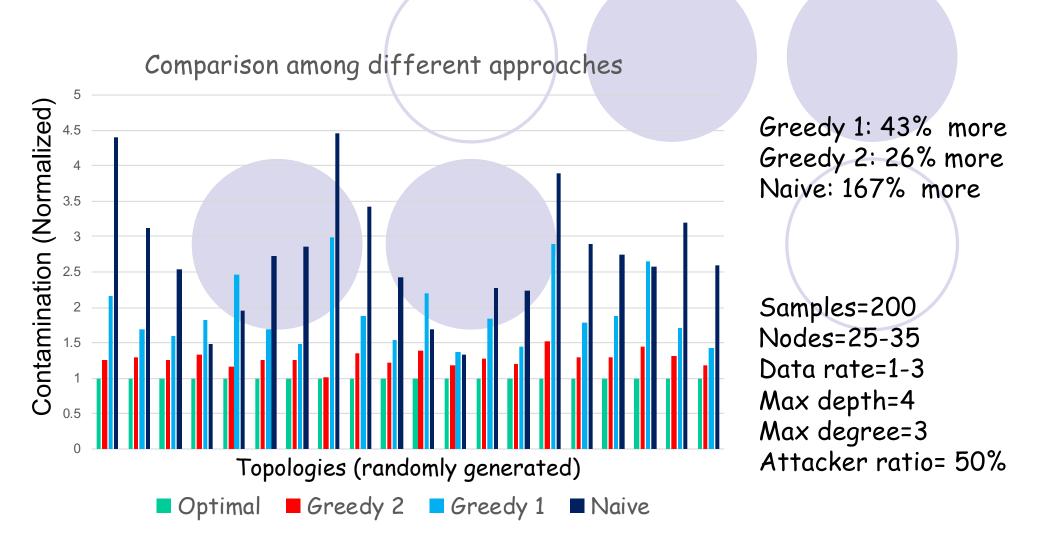
Maximum degree=4 Depth=6 Data rate= 1 to 10

# Problem 1: Greedy 2 Timeline

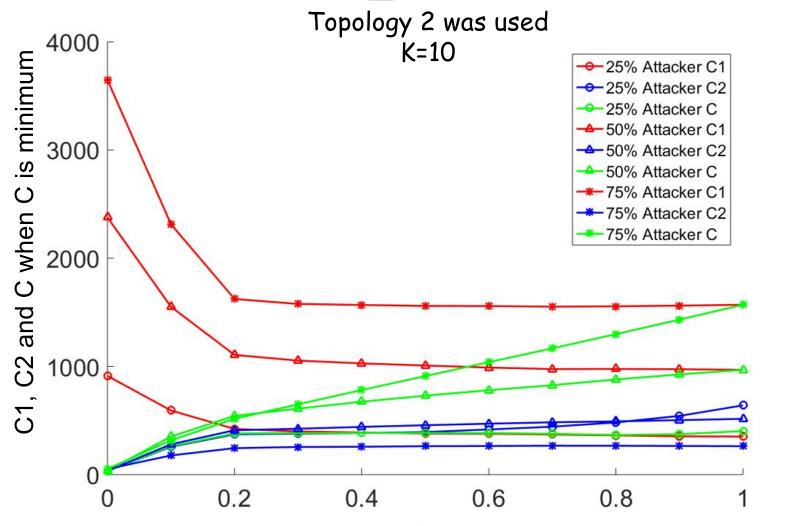


# Problem 1: Different Approaches

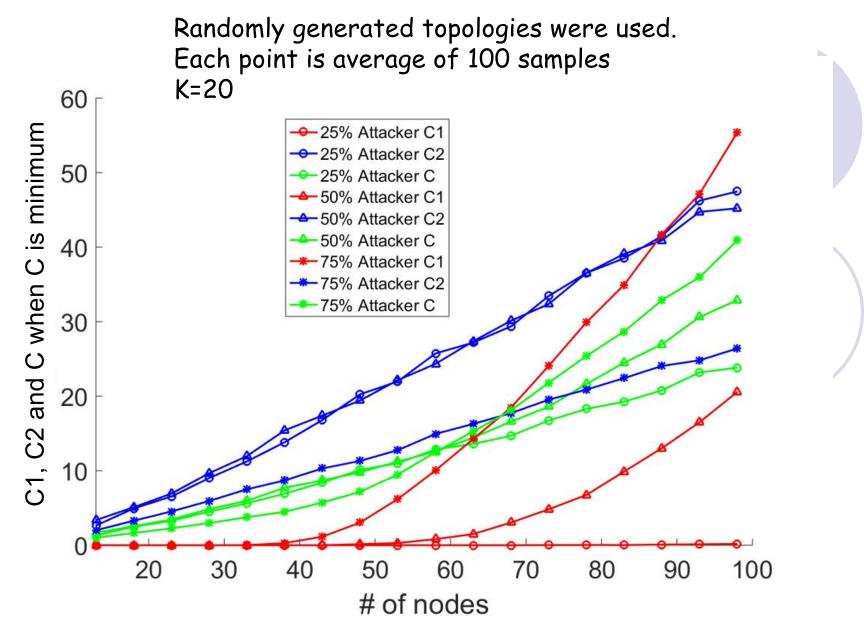
Subset of 200 Topologies are shown



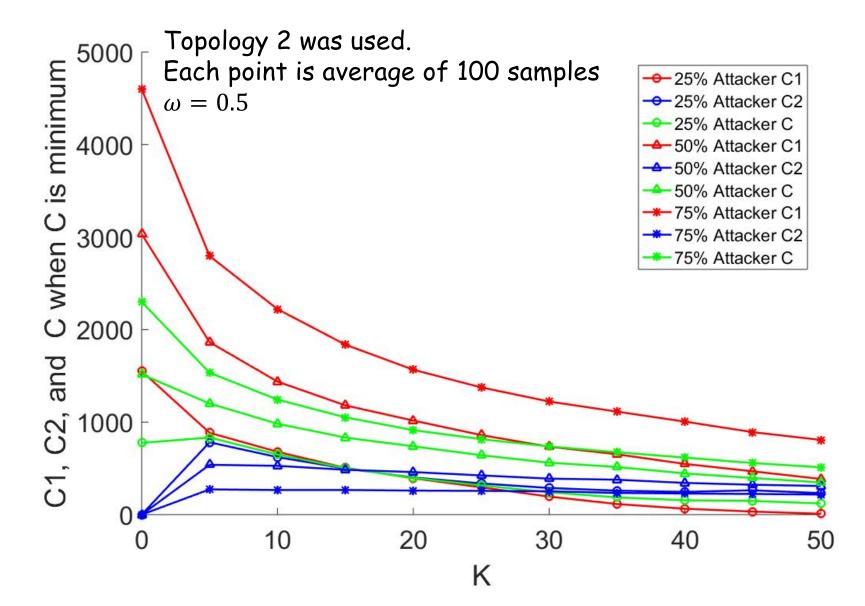
## Problem 2: Effect of $\omega$



# Problem 2: Effect of # of Nodes



## Problem 2: Effect of K



## Summary and Future Work

- Two unique filter assignment problems
  - Problem 1: Source based
  - Problem 2: Destination based
- The greedy approximation 2 • The best solution for Problem 1
- Optimality of DP solution for problem 2
  - Depends on optimality of problem 1

