Privacy-Preserving Online Task Assignment in Spatial Crowdsourcing: A Graph-based Approach



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Outlines

- 1. Introduction
- 2. Challenges and contributions
- 3. Problem formulation
- 4. Approaches
- 5. Experiments



1. Introduction

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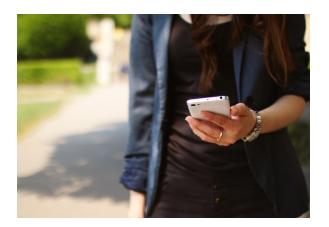


1. Introduction

Spatial Crowdsourcing

1) Background





A new problem-solving paradigm to explore the power of crowd with location-aware tasks.

2) Applications





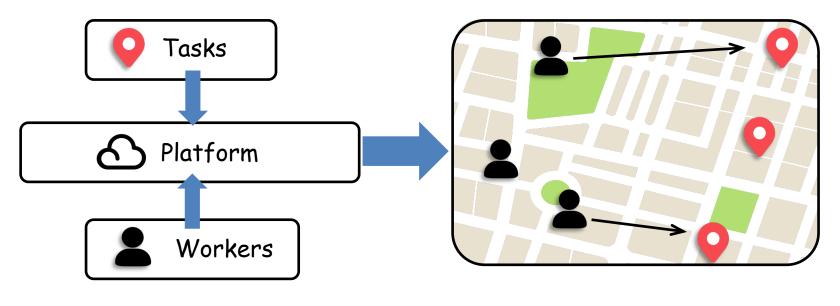




1. Introduction

Spatial Crowdsourcing

3) Components



4) Issues





Task assignment:

1. Introduction

Our work Prior works 1. Location 1) No-privacy 1) Privacy obfuscation Worker and 2.0. Task side **Real locations Obfuscated locations** Platform side 2. Task 2) One-worker-one-task 2) One-worker-manyassignment tasks One-worker-one-task One-worker-many 3) Offline 3) Online (2 Q 2 2 .0.5 Time



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2. Challenges and contributions

Challenges

 Balance the tradeoff between privacy protection and utility

Execute the one-worker-many-tasks assignment

Deal with the online task assignment



2. Challenges and contributions

Existing works cannot deal with these challenges

	1) Privacy	2) One-worker- many-tasks	3) Online
Work [1]	\checkmark	X	X
Works [2,3]	\checkmark	×	\checkmark
Works [4,5]	×	\checkmark	×
Our work	\checkmark	\checkmark	\checkmark

[1] Z. Wang, J. Li, J. Hu, J. Ren, Z. Li, and Y. Li, "Towards privacy- preserving incentive for mobile crowdsensing under an untrusted plat- form," in *Proc. IEEE INFOCOM*, 2019, pp. 2053–2061.

[2] H. To, C. Shahabi, and L. Xiong, "Privacy-preserving online task assignment in spatial crowdsourcing with untrusted server," in Proc. IEEE ICDE, 2018, pp. 833–844.

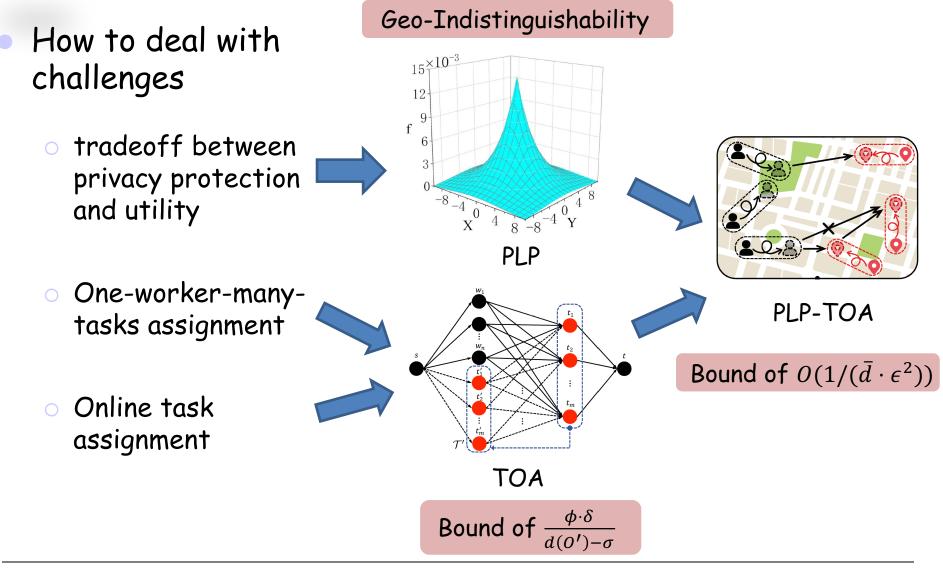
[3] Q. Tao, Y. Tong, Z. Zhou, Y. Shi, L. Chen, and K. Xu, "Differentially private online task assignment in spatial crowdsourcing: A tree-based approach," in Proc. IEEE ICDE, 2020.

[4] D. Deng, C. Shahabi, and U. Demiryurek, "Maximizing the number of worker's self-selected tasks in spatial crowdsourcing," in Proc. ACM SIGSPATIAL GIS, 2013, pp. 314–323.

[5] D. Deng, C. Shahabi, and L. Zhu, "Task matching and scheduling for multiple workers in spatial crowdsourcing," in Proc. ACM SIGSPATIAL GIS, 2015, pp. 21:1–21:10.



2. Challenges and contributions





Our work has the following contributions:

- Propose a privacy mechanism to balanced the tradeoff between privacy and utility.
- Solve the online one-worker-many-tasks assignment problem with the competitive ratio of $O(1/(\bar{d} \cdot \epsilon^2))$.
- Evaluate the effectiveness of the proposed method using real-world datasets.



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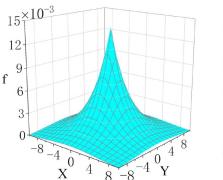


3. Problem formulation

Privacy model

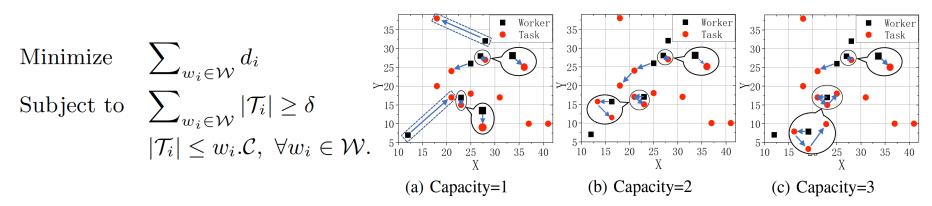
Geo-Indistinguishability [1]: A privacy mechanism M satisfies Geo-Indistinguishability iff

 $\mathcal{M}(l)(\mathcal{Z}) \le e^{\epsilon d(l,l')} \mathcal{M}(l')(\mathcal{Z})$





Privacy-preserving Online Task Assignment (POTA) Problem



[1] M. E. Andr['] es, N. E. Bordenabe, K. Chatzikokolakis, and C. Palamidessi, "Geo-indistinguishability: differential privacy for location-based systems," in Proc. ACM CCS, 2013, pp. 901–914.



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• Planar Laplace distribution based Privacy mechanism (PLP)

Algorithm 1: PLP

Input: Privacy budget ϵ , real location $l = (l_x, l_y)$ Output: Obfuscated location $l^* = (l_x^*, l_y^*)$ 1 Draw $p \in [0, 1]$ uniformly, $\rho = F^{-1}(p)$; 2 Draw $\theta \in [0, 2\pi]$ uniformly; 3 $l_x^* = l_x + \rho \cos(\theta), \ l_y^* = l_y + \rho \sin(\theta)$; 4 return $l^* = (l_x^*, l_y^*)$

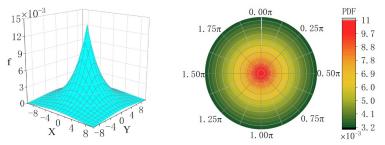


Fig. 3: The planar Laplace distribution centered at l_0 . The polar Laplace distribution with origin in l_0 .

Planar Laplace distribution

$$f(l, l^*, \epsilon) = \frac{\epsilon^2}{2\pi} e^{-\epsilon \cdot d(l, l^*)} \quad F(\rho, \epsilon) = \int_0^\rho \int_0^{2\pi} \frac{\epsilon^2}{2\pi} e^{-\epsilon\rho} d\theta d\rho = 1 - (1 + \epsilon\rho) e^{-\epsilon\rho}$$
$$l^* = (l_x + \Delta x, l_y + \Delta y) = (l_x + \rho \cos(\theta), l_y + \rho \sin(\theta))$$

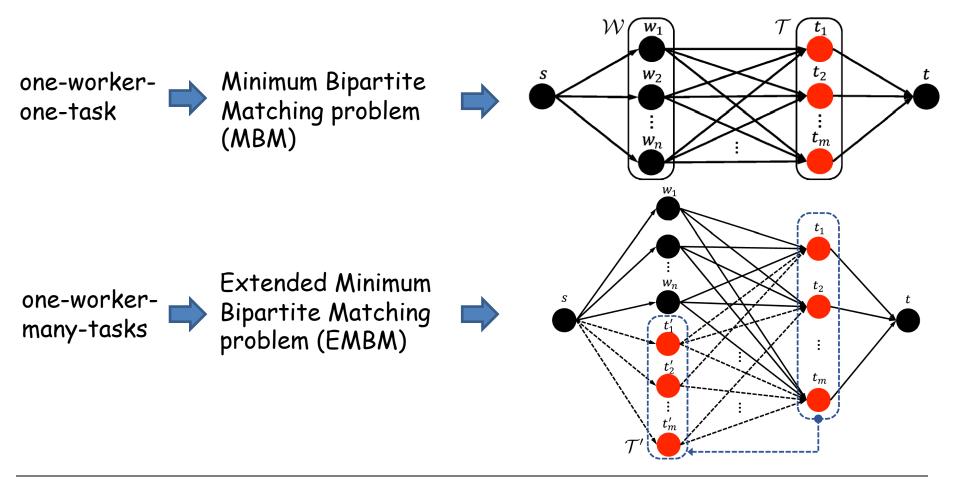
• Theorem 1. Geo-Indistinguishability

$$\mathcal{M}(l_1)(l^*)/\mathcal{M}(l_2)(l^*) = f(l_1, l^*, \epsilon)/f(l_2, l^*, \epsilon)$$

= $e^{\epsilon \cdot (d(l_2, l^*) - d(l_1, l^*))} \le e^{\epsilon \cdot d(l_1, d_2)}$.



- Threshold-based Online task Assignment mechanism (TOA)
 - Offline one-worker-many-tasks assignment





- Threshold-based Online task Assignment mechanism (TOA)
 - Offline one-worker-many-tasks assignment

```
Algorithm 2: Extend minimum-cost flow (EMCF)
                                                                                                Input: Workers \mathcal{W}, tasks \mathcal{T}, cardinality constraint \delta
                                                                                                Output: The minimum-cost flow \mathcal{F}, total cost \mathcal{D}
                                    Minimum Bipartite
one-worker-
                                                                                             1 Construct G' = (V', A') as Eq. (10) based on \mathcal{W}, \mathcal{T};
                                                                                             2 Initialize the flow \mathcal{F} \leftarrow \emptyset, total cost \mathcal{D} \leftarrow 0;
one-task
                                     Matching problem
                                                                                             3 foreach (w_i, t_i) \in A' do
                                      (MBM)
                                                                                                    if w_i \cdot t_l < t_j \cdot t_a or w_i \cdot t_a > t_j \cdot t_l then
                                                                                                        Remove the arc (w_i, t_j) from A';
                                                                                              5
                                                                                             6 Find the minimum-cost augmenting path \mathcal{P}(G', s, t);
                                                                                             7 while \mathcal{P}(G', s, t) exists and |\mathcal{F}| < \delta do
                                                                                                    \mathcal{F} \leftarrow \mathcal{F} \cup \mathcal{P}(G', s, t);
                                                                                             8
                                                                                                    foreach arc (v, v') \in \mathcal{P}(G', s, t) do
                                                                                             9
                                                                                                         if arc (v', v) \notin A' then
                                                                                             10
                                     Extended Minimum
                                                                                                             A' \leftarrow A' \cup \{(v', v)\};
                                                                                             11
one-worker-
                                                                                                           d(v',v) \leftarrow -d(v,v'), \ c(v',v) \leftarrow 0;
                                      Bipartite Matching
                                                                                             12
many-tasks
                                                                                                         c(v, v') \leftarrow c(v, v') - 1, c(v', v) \leftarrow c(v', v) + 1;
                                      problem (EMBM)
                                                                                             13
                                                                                                         \mathcal{D} \leftarrow \mathcal{D} + d(v, v');
                                                                                             14
                                                                                                         if v' = t_i, \forall t_i \in \mathcal{T} then
                                                                                             15
                                                                                                           d(s, t'_i) \leftarrow 0;
                                                                                             16
                                                                                                    Find \mathcal{P}(G', s, t) again based on the current G';
                                                                                            17
                                                                                            18 return \mathcal{F}, \mathcal{D}
```



- Threshold-based Online task Assignment mechanism (TOA)
 - Online one-worker-many-tasks assignment
- \checkmark TOA estimates a threshold

 $\kappa = \min\{d(\mathcal{P})\}, \forall \mathcal{P} \in \mathcal{F}$

✓ Theorem 2. TOA achieves a bound of $\frac{\phi \cdot \delta}{d(o') - \sigma}$

 $Pr[|d(\mathcal{O}) - E(d(\mathcal{O}'))| \le \varepsilon] \ge 1 - \sigma^2/\varepsilon^2,$

- $CR = E(TOA)/OPT = E(\delta \cdot \Delta)/d(\mathcal{O}) = \delta E(\Delta)/d(\mathcal{O})$ $\leq \phi \cdot \delta/d(\mathcal{O}) \leq \phi \cdot \delta/(1 - \sigma^2/\varepsilon^2) \cdot (d(\mathcal{O}') - \varepsilon).$ (13)
- ✓ Theorem 3. PLP-TOA achieves a bound of $O(1/(\bar{d} \cdot \epsilon^2))$

Algorithm 3: Threshold online assignment (TOA)Input:
$$\mathcal{W}, \mathcal{T}, \delta, T, \phi$$
Output: \mathcal{F} 1 $\mathcal{F} \leftarrow \emptyset, t \leftarrow 0$;2 while $t \leq T$ and $|\mathcal{F}| < \delta$ do3 $\mathcal{W}_t, \mathcal{T}_t \leftarrow$ the current workers and tasks in t ;4 $\mathcal{F}_t, \mathcal{D}_t = \text{EMCF}(\mathcal{W}_t, \mathcal{T}_t, \delta);$ 5foreach $\mathcal{P} \in \mathcal{F}_t$ do67 $\lfloor If d(\mathcal{P}) \leq \kappa$ and the pre-path of \mathcal{P} is in \mathcal{F} then8 $t \leftarrow t+1;$ 99return \mathcal{F}

$$Pr[|d(\tilde{\mathcal{F}}) - d(\mathcal{F})| \ge \lambda] \ge \frac{6}{\lambda^2 \cdot \epsilon^2}, \qquad CR = d(\tilde{\mathcal{F}}) / OPT \le \frac{6(d(\mathcal{F}) + \lambda)}{d(\mathcal{O}) \cdot \lambda^2 \epsilon^2} \le \frac{6(\kappa \cdot \delta + \lambda)}{\lambda^2 \epsilon^2 (d(\mathcal{O}') - \sigma)},$$



5. Experiments

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5. Experiments

Two real-world datasets, three cities

- Gowalla: New York
- Foursquare: Tokyo, London
- Baselines
 - PLP-TOA
 - TBF (ICDE'20 [1])
 - PLP-OA
 - OPT
 - PLP-Gre
- Settings





(a) Tokyo

(b) New York

(c) London

Parameters	Value	
Time length T	100	
Worker number $ \mathcal{W} $	$10 \sim 90$	
Task number $ \mathcal{T} $	$50 \sim 250$	
Privacy budget ϵ_1	$0.1 \sim 2.1$	
Cardinality δ	$5 \sim 45$	
Capacity C	$1 \sim 10$	

[1] Q. Tao, Y. Tong, Z. Zhou, Y. Shi, L. Chen, and K. Xu, "Differentially private online task assignment in spatial crowdsourcing: A tree-based approach," in Proc. IEEE ICDE, 2020.



RQ1: Does our method deal with the online one-workermany-tasks assignment?

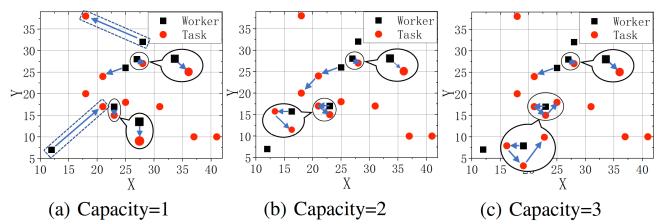
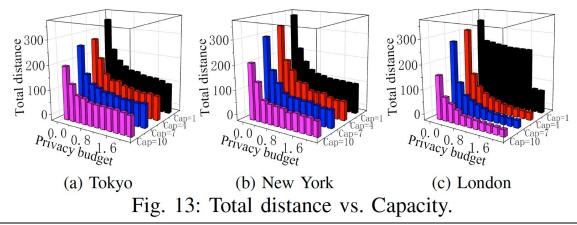
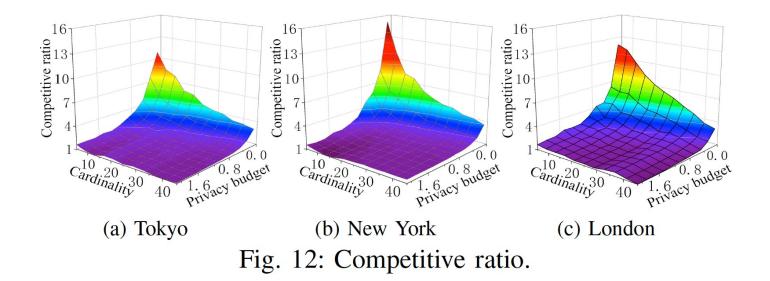


Fig. 14: Examples of the one-worker-many-tasks assignment.





RQ2: Does our method agrees with the theoretical results?



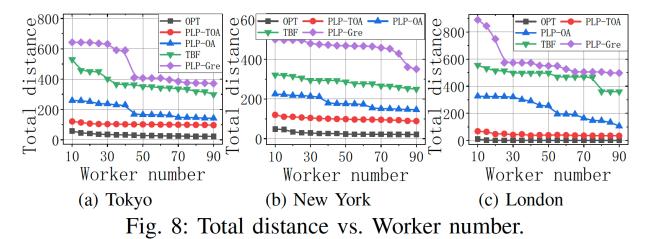
PLP-TOA achieves a bound of $O(1/(\bar{d} \cdot \epsilon^2))$

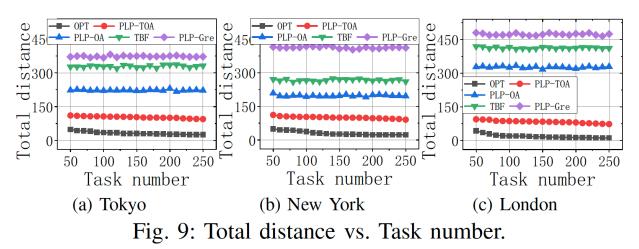
$$CR = d(\tilde{\mathcal{F}})/OPT \le \frac{6(d(\mathcal{F}) + \lambda)}{d(\mathcal{O}) \cdot \lambda^2 \epsilon^2} \le \frac{6(\kappa \cdot \delta + \lambda)}{\lambda^2 \epsilon^2 (d(\mathcal{O}') - \sigma)},$$



5. Experiments

RQ3: How different parameters affect simulation results?

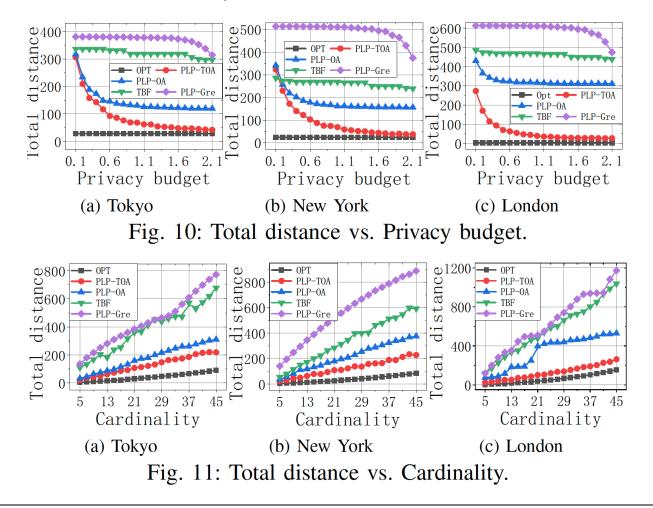






5. Experiments

RQ3: How different parameters influence our mechanism?





Thank you!

Q&A

